# Nuclear \& Particle Physics version 2.0 

## < SO(4) physics >

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## Main achievements

Unification of all 4 forces<br>Explanation of the gravitation mechanism<br>Detailed wave structure of particles<br>includes charge radius, inner forces<br>Calculation of nuclear masses, magnetic moments<br>Wave structure explains fusion (LENR)<br>Wave structure explains gamma levels

Mile stones:

- June 2017 : Work started: - data analysis
- 06.08.2017 : Strong force factor (3FC) found
- 11.09.2017 : First gamma spectra decoded ${ }^{6}$ Li, ${ }^{9} \mathrm{Be}$
- 28.10.2017 : Strong coupling of gamma spectrum decoded
- 09.11.2017 : First Neutron radius.
- 15.01.2018 : Magnetic moment of ${ }^{6} \mathrm{Li}^{7}{ }^{7} \mathrm{Li}$
- 12.02.2018 : Magnetic moment of proton Nj proton charge radius
- 24.02.2018 : Neutron 4-He details
- 07.03.2018: ${ }^{28}$ Si proof for 2FC/3FC mass factors, neutron "energy hole" wave
- 30.03.2018 : Pion,Kaon,Muon modeling
- 03.04.2018 : 3FC quantum structure of stable Isotopes with mass $<=32 .{ }^{9} \mathrm{Be}$ magnetic moment.
- 30.04.2018 : Proton mass formula and proton \& 4D radius from neutron radius
- 14.06.2018 : Neutron energy hole Nj ${ }^{10} \mathrm{~B}$ mass \& magnetic moment, exact ${ }^{4} \mathrm{He}$ mass.
- 02.09.2018 : Alpha particle mass defect anomaly that leads to gravitation constant
- 10.09.2018 : First exact Hydrogen model with all 10 digits matching
- 09.11.2018 : First ionization energy of ${ }^{4} \mathrm{He}$
- 13.01.2019 : proton-electron mass equivalence relation
- 30.01.2019 : Orbit formula for exact neutron, deuterium, 4-He mass, Hydrogen ionization
- 18.02.2019 : Derivation of gravitation constant
- $\quad 24.05 .2019$ : Proton inner force equation that explains charge generation
- 12.07.2019 : Orbit formula for dense hydrogen ( $\left.\mathrm{H}^{*}-\mathrm{H}^{*} / \mathrm{D}^{*}-\mathrm{D}^{*}\right)$


## Introduction

It is well known that the so called standard model of physics (SM) is incomplete and only works for so called open space with 3 space dimensions and one time dimension.
The Standard Model In Physics was created for descriptions of ultra-thin plasma environments, while thin plasma environments are interesting for high energy physics, that's not the universe we humans inhabit.. SM has some merits in describing the outcome of particle collisions. But any attempt to model dense matter by SM fails and it is easy to show that the mathematical space used by $\operatorname{SM}(\mathrm{SO}(3) \times \mathrm{SU}(2) \times \mathrm{U}(1))$ has the wrong symmetry to successfully describe dense matter.
Dense matter, respectively the energy that forms dense matter is expressed by magnetic flux. Magnetic flux is coupling indirectly by induced (or virtual) currents that finally interact (attract, repel) according the Biot Savart law. Thus the magnetic coupling needs the mathematical combination of two (4D) rotations, which does not conform with (3D,t) SM potentials.
Furthermore it can be mathematically and physically shown that time on nuclear level no longer is a free (open) dimension and only occurs as a frequency or wave number. A uniform time axis is a mathematical trick that allows us to model events that change the relation between an old and a new state in a regular fashion. But from the more fundamental information theory we know that there is no global time and we can only model phenomena, that are based on a partial order of events.
Previously R.Mills [2] found 30 years ago the first metric that allows us to convert mass at rest into a mass in a rotating relativistic frame. Because in mass aggregation (fusion) the average radius shrinks, the inward radial dimension must be included into the relativistic metric, which does not work with Einstein's general relativity model as it cannot handle the center of mass being a pole. Thus the inward (to pole) length contraction is given by $\boldsymbol{a}$ and the finite! mass increase by $2 \pi$ (Mills). The combination of these two factors is the well known and here renamed constant is called 2FC.
The simplest geometric object that fulfills the requirements of a $\mathrm{SO}(4) 2 \times 2$ rotations coupled space is the so called Clifford torus. This is the center symmetry space of $\mathrm{SO}(4)$. It has been shown [8] that the Maxwell equations fundamental for dense matter calculations can be transformed to $\mathrm{S}^{3}$, ( 3 independent acting rotation dimensions!) which is a valid projection of the $\mathrm{SO}(4)$ Clifford torus that has 4 independent acting rotation dimensions. Thus from a mathematical point of view using Maxwell laws in higher dimensional space is valid. The Biot-Savart coupling of masses in $\mathrm{SO}(4)$ is of a circular nature.
Because almost all states of dense matter are stable, and of course invariant over time, the basic relations between orbits and mass distribution can be given by Eigenvalues. Surprisingly there exist three constants that define almost all relations between physical quantities (mass=energy,force,orbits) in dense space. We named these constants after their primary function (Flux Compression) in fusion - 1FC, 2FC, 3FC. The leading number is the starting number of rotations. Flux compression/expansion is one way to express the fact, that the volume of dense mass can slightly shrink/expand due to fusion/aggregation.

This described NPP2 model or a more improved version of it, will certainly replace the SM part for dense matter. Thus we warn people who have spent a large part of their life in learning/teaching SM that they have to forget or put aside old knowledge. Even worse things could happen as soon as we come to understand, that a large part of SM is fringe science, that vastly ignores the reality of experimental data. Just one simple example: ${ }^{56} \mathrm{Fe}$ should be magic nucleus and fusion should stop at ${ }^{56} \mathrm{Fe}$. The first, ${ }^{56} \mathrm{Fe}$ being a magic nucleus, is completely wrong and the second only holds if we try to fuse ${ }^{56} \mathrm{Fe}$ with ${ }^{56} \mathrm{Fe}$. But this is not the way that fusion happens in the universe as the general path is LENR, which is adding H/D to a nucleus. Thus fusion in a star does not stop at ${ }^{56} \mathrm{Fe}$, it stops, when all Hydrogen is consumed. ${ }^{56} \mathrm{Fe}$ as singular endpoint that can (could!) only happen under a gravitational collapse.

## What we here do not show:

- Gamma spectrum analysis and gamma state calculations with various couplings.
- $\quad \mathrm{SO}(4)$ Quantum structure of periodic table.
- $\quad$ The relation between proton \& muon, pion, kaon and the two CERN fake Higgs masses.
- More detailed magnetic moment calculations.
- Alternative mass formulas based on magnetic moments only.
- Low $Z$ nuclei orbital electron couplings.

Special thanks go to R. Bryant for proof reading the poster.

## 1 Short overview of NPP2.0 (nuclear \& particle physics 2.0)

The following base assumption are made:

- Dense space is homogenous and has at least 6 dimensions
- Almost all energy is stored in rotations = magnetic flux
- Magnetic flux can be compressed/removed to release energy/mass
- Magnetic flux can be expanded/added to increase the energy/mass
- Stable particles have a base magnetic mass and carry (a minor part of) additional excess-energy
- $\quad$ The mathematical (base )space for the description of NPP2.0 is SO(4)
- $\quad$ In $S O(4)$ space \& time are homogeneous and time is of periodic nature with a maximal duration of $2^{\star} \pi, 4^{\star} \pi, 8^{\star} \pi$ depending on the number of coupled rotations.
- To increase a relativistic magnetic mass = adding one more flux-rotation, we must multiply the base magnetic mass by $1 / a$ To convert ( vNj c) a non relativistic mass to a relativistic one, we must multiply it by $2^{*} \pi$ or $4^{\star} \pi$
- $\quad$ To find a non relativistic rest-mass you must divide a relativistic mass by $2^{*} \pi$
- $\quad 1 / a$ corresponds to the classic length contraction, $2^{*} \pi$ to the maximal relativistic mass increase.

These rules are not complete as yet e.g. a relativistic mass is only once affected by the time parameter (2* $\Pi$ ) and further mass increases only involve length contraction by $1 / a$ or the $1,2,3 F C$ factors or the SO(4) metric factor.

### 1.1 Flux compression/expansion constants

Energy conversion constants:

|  |  | For mass reduction |  | for fraction/amount |
| :--- | :--- | :--- | :--- | :--- |
| 3D/4D - 4D Flux capture | 3FC | $=0.99711307593398$ | 3FC' $^{\prime}=$ | 0.00288692406602 |
| 3D-3D/4D Flux capture | 2FC $=1-(a / 2 \pi)$ | $=0.99883859026758$ | 2FC' $=$ | 0.00116140973242 |
| 2D-3D/4D Flux capture | 1FC $=1-16^{\star}(\alpha / 2 \pi)^{2}$ | $=0.99997841803894$ | 1FC' $^{\prime}=$ | 0.00002158196106 |

Excess-energy is flowing(rotating) around the core mass with different number ( $1,2,3,4,5$ ) of rotations. But the number of Eigenvalues for the excess energy is smaller than the rotations of the core - relativistic mass. The numbers ( $1,2,3$ ) prefixing FC denote the base number of rotation the "flux compression" works on. E.g. 1FC converts a one dimension flux/potential in a two dimensional rotation. 2FC converts flux from 2 Nj 3 rotations. The virtual charge is able to do 5 rotations.

A special case is the 1D/2D-/3D relativistic photon flux capture (Mills [4]-) $\boldsymbol{V}^{*}=1 /\left(1+\pi a^{2}\right)=0.9998327339 .$. It is used e.g. for the conversion of a 2D bound gamma quantum mass to a free gamma quantum mass.

In NPP2.0 only the above constants are used to relate the Eigenvalues for flux-capture/expansion or to express the space like perturbations.

### 1.1.1 Short explanation of constants

2FC is the Coulomb potential folding factor that defines the mass loss if a proton binds over one dimension.
$m_{p}{ }^{* 2} 2 C^{\prime}=$ Coulomb potential at de Broglie radius $-\mathrm{r}=1.32141 . . \mathrm{fm}$ of the proton. (this is a mathematical identity!)

1FC is the second torus radius "coulomb potential" folding factor. (structurally corresponds to the "electro weak" force)

1 FC is the total two radius potential for all wave 8 rotations/16 Hyper quadrants $\quad\left(16^{\star}(\alpha / 2 \pi)^{2}\right)=16^{*} 2 \mathrm{FC}^{\prime 2}$

3FC is the metric factor that maps 5 rotations into $2 x 2$ rotating magnetic flux. (Structurally corresponds to the "strong force".)

## Construction of 3FC:

Eccentricity of 4D space (golden ratio excess)
Ex4D $=(0.6180339887-0.6) / 2 \pi=0.00287019845321$ (deviation from integer ratio $=3 / 5$ )
$Z=2 F C^{5}=(1-\alpha / 2 \pi)^{5}=0.9942064244067$
$Z=E x 4 D /(1-3 F C)=0.9942064244067=(1-a / 2 \pi)^{5}$
$(1-3 F C)=3 F C^{\prime}=0.00288692406602$

According to Mills relativistic treatment, we know, if a mass is accelerated in two more dimensions/ + 1 rotation, then we have to increase the energy by the factor $2^{*} \pi / \boldsymbol{a}$. Because magnetic flux already is at light speed, we only have length contraction by alpha. The formula $2^{*} \pi / \boldsymbol{a}$, for mass increase has recently also been re-found by N.Chiatti [3] using QM-related reasoning but assuming a "complex" time. Another method to derive 2FC is by just comparing the classic 3D,t magnetic mass formula [4; 1.160] with the electron magnetic mass formula (0) given below.

### 1.2 Energy

Classically particle energy is modeled by waves and the associated spherical harmonics. Because nuclear flux is confined in a very narrow range, we can also use mechanical analogues of (force free) rigid rotating masses. In the symmetric case the mass is given by the sum of the eigenvalues of each independently rotating dimension. This can be irritating as the waves may cover e.g. 4 dimension but the independent energy Eigenvalues only cover 3. In a wave (rotation) coupling formula like (1x1) "x" means magnetic/ vector product coupling.

## 2 Why is all mass electro magnetic mass?

The answer is simple and has been known for about 90 years. The Planck quantum " $h$ " has been defined by the electron mass/ light speed relation that finally has been used to define the Bohr magneton \& electron de Broglie radius together with charge (e) " $\alpha$ " has been defined: A simple change of the connected parameters (e,c,m ${ }_{e}, h, a$ )shows:
Electron magnetic mass :


Thus our framework of physics is based on the electron magnetic mass. (See also magnetic mass formula from Mills [4]32.32b. Mass equivalence.) This too explains why SM/QED fails to calculate anything relevant for dense (=nuclear/particle) mass as usually the Coulomb-gauge (=charge potential) is used.

### 2.1 Why is EM mass rotating in SO(4)?

See Fig. 1a,b. A single current loop produces a field that in the center is perpendicular to the loop. If a second loop is 2D orthogonal to the first loop then the magnetic field is co-linear with one current direction of the second loop. This condition is symmetric. As we have 3 sets of independent currents in SO(4) we may have $2 \times 2$ combinations. In "reality" the current loops are just projections of the charge surface and the currents span the whole rotation surface.


Fig.1a) 2 current loop induced forces in $\mathrm{SO}(4)$ Fig.1b symmetric forces

If we unfold the coupled $S O(4)$ current-loop field structure it looks like the magnet field is strictly unidirectional and enclosed by the current loop, that itself gets induced by the magnetic flux. This explains why at the end the magnetic force and the electric forces are equal. This equality also follows from the energy conversion law.

What we will see is that $1 \times 1,2 \times 2(1 \times 1) x(1 \times 1), 4 \times 4((2 \times 2) x(2 \times 2))$ rotations are symmetric and only the 3 rotation flux at the end is responsible for external behavior like the magnetic moment or the gamma spectrum. On the other side, external visible charge is given by a $1 \times 1$ rotation structure that works in the electron too. As we will see later charge is not a basic quantity. Charge square is proportional to mass moving on a radius. This can already be understood from figure $1 \mathrm{a}, \mathrm{b}$ ). The current loops are not independent. In "reality" there is one source current that flows, at a constant distance, along the whole Clifford torus surface. But in the projection 2 charges are needed for the attractive force.

For a basic treatment of Maxwell equations - Biot-Savart coupling in 4D space see [8].
To get to the real understanding we will see that the charge effectively does one more (maximal total 5) rotation than the coupled magnetic fields - which obviously is needed if the magnetic flux should be contained. The only consequence is that the radius of the current loop is a bit smaller than the average distance of two current loops.

## 3 SO(4) The true physical space

$\mathrm{SO}(4)$ is far more complex and thus difficult to visualize than its related projective \& sub-spaces $\mathrm{S}^{3}, \mathrm{SO}(3)$, $\operatorname{SU}(2)$ and all their derivations. This is because we cannot separate the time dimension, meaning we must be able to think in (at least) 4 real, uniform space dimensions. Conceptualization becomes even more complicated as the common main center of mass is a 4D surface known as Clifford torus, that is single sided. Thus, in any projection to a 3-D space, we must be aware of the front/back side nature of (EM-) mass-flux.
(1) $\mathrm{SO}(4)=\mathrm{SU}(2) \mathrm{X} \mathrm{SU}(2)$

This topological equation shows one connection to existing physics and already explains why the previous models for dense space fail. The cross product is not commutative, respectively at least the sign changes. The only exception are scalars like energies that are square sums.
(2) $\mathrm{SO}(4)=$


The Clifford torus is the "topological equivalent" of $\operatorname{SO}(4)$ namely the connection of two circles (staying in independent dimensions) with a 4 dimensional bundle of tangents.
(3) (wiki) $\quad \mathrm{SU}(2)=\left\{\left(\begin{array}{cc}\alpha & -\bar{\beta} \\ \beta & \bar{\alpha}\end{array}\right): \alpha, \beta \in \mathbf{C},|\alpha|^{2}+|\beta|^{2}=1\right\}$

This is one possible representation of $S U(2)$ as a $2 x 2$ conjugate complex matrix.
(4) curvature of Clifford Torus: $\mathrm{F}^{\prime}(\mathrm{X} 1, \mathrm{X} 2, \mathrm{X} 3, \mathrm{X} 4)=$ const
(5) Radial norm: $x^{2}{ }_{1}+x^{2}{ }_{2}+x^{2}+x^{2}{ }_{4}=1$

Graphical representations of Clifford Torus from wikipedia:


Or topologically:
$\mathrm{SO}(4)=\mathrm{SU}(2) \times \mathrm{SU}(2)$
,

Any projection of $S U(2) \times S U(2)$ to $S O(3), S O(3) R, S(3)$ etc. leads to a radial change of measure:
(6) $R^{4}$ Nj $R^{3}: r_{3}=r_{4}{ }^{*}(1 / 2)^{1 / 2}$.

If two radii are involved, the the factor becomes $1 / 2$ (or 2 in the other direction).

### 3.1 Energy in SO(4)



Fig 2: ${ }^{4} \mathrm{He}$ nucleus as torus projection red/blue dots represent $n / p$
In dense space most matter/energy is represented by rotations.
In SO(4) we may have 4 symmetric independent rotations, that - for simplification - can be mapped to two disjoint 3D tori, where each rotation is represented by the individual base radii of the two tori. If we map everything to one single 3D torus (Fig 2) then two rotations are given by the surface flux and the other two by the whole body rotation (green, black axis). This kind of simplification is only appropriate for highly symmetric nuclei like ${ }^{4} \mathrm{He}$. Further this picture can only be used for scalar quantities like mass/energy of the nucleus.

The 4 rotations center energy structure of dense space is new, albeit it forms the core of any nucleus. Even more complex to understand is the 3D/4D flux of mass. In any 4D space we have a 3D subspace. This subspace contains the well known mass we know from a proton, but it performs one more independent rotation. This form of mass (the 3D/4D flux of mass) is new and is now spotlighted because time is becoming a uniform space-dimension. To imagine this movement just draw a proton (mass-flux represented by two spherical rotations) and add one more rotation given by the $4^{\text {th }}$ dimension. This three times rotating proton (in fact the three mass/charge waves) is now flowing along the Clifford torus (touching red line Fig. 1 ) surface of $\operatorname{SO}(4)$. In the following the $3 \mathrm{D} / 4 \mathrm{D}$ flux is always counted in $1 / 3$ units which is the weight of one wave. In the following text the term $4 D$ space means 4 symmetric rotations in $\mathrm{SO}(4)$.


Fig. 2a. 3D/4D flux of mass


Fig. 2b. Field


In Fig. 2a the red line indicates the Clifford torus surface. The surface has two sides in a 3D projection thus the orthogonal (to Clifford torus surface) wave drawn as black circle is counter rotating on the front/back side. In addition we indicate the other two rotations as full body rotations. If we associate charge with one radius, Fig. 2b, which is logical given the magnetic moments, then we notice that in a perfect symmetric configuration (as in ${ }^{4} \mathrm{He}$ ) the magnetic fields vanish (at least macroscopically!) - green front/back arrow. We also can conclude, if charge(-density) has the same property as in 3D space, that the two front/back-flux charge waves must be attractive if they run in the same plane. A slight change in the angle between front/back-flux could be the origin for deviations of the third flux compression constant we found.

Fig.2c 3D/4D radius

### 3.2 Properties of 4D space

In a rotating (3D,t) system, the base line is the equivalence "point" of forces/masses. In SO(4) this point is not the common center of mass it is the entire surface of the Clifford torus. In a perfectly balanced system the sum of back/front side mass/rotations must be equal. Expressed in mathematics: For a perfectly balanced system the quotient of front/back flux must be equal $(=1)$ at any point of the surface.

For the 4D rotations this implies that all radii must be equal.
For the 3D/4D rotation flux a system is "balanced" if the resulting $\operatorname{SU}(2) \mathrm{XSU}(2)$ quotient $=1=\mathrm{M} 1 / \mathrm{M} 2$
M1/M2 front side/backside mass: All perturbation is measured as deviation (factor!) from 1!
Perturbations: $\quad f(u)^{*} M 1 / M 2^{*} f(v)=1$
Simple projected closed 4D space $\left(S^{3}\right)$ has the following metrics: (normed for $r=1$ )
$4 D$ hyper volume $=1 / 2 \pi^{2}$.
4D hyper surface $=2 \pi^{2}$.
Internal 3D volume $=16 / 3 \pi$.
Internal 3D surface $=16 \pi$.
Later, when we include charge and internal forces we will see that there is a second center of mass/forces built by a manifold at a constant distance from the Clifford torus.

### 3.2.1 Magnetic flux compression in 1;2;3 Dimensions.

Basically long time stable flux reduction(compression) is only possible between proton and neutrons. Key for the $n-p$ binding is the split nature of the neutron that can give or accept flux.


Fig. 3 N-P flux reduction "bonds" between protons and neutrons
The term bond is wrong as in reality the magnetic flux is unidirectional. Thus here double arrows are only illustrative. If we, in the following text, talk of a $3 \mathrm{D} / 4 \mathrm{D}$ wave, then we mean a wave (in fact 3 connected waves), that is "equivalent" to a 3D ( $=3$ rotation) mass, but traveling/rotating along a 4D surface in 4D
space!
In 4D space most energy is stored in flux, which is a synonym for compressed magnetic field lines.
Deuterium (n-p) Fig. 3 a) is only able to exchange 3D-3D/4D flux in one dimension (through one plane!). Two deuterium Fig. 3 b) that stay in the same plane in $3 D(3,1)$ space, can only build up 4 nodes of flux exchange. ( $2 \times 2 \mathrm{D}$ wave $=4$ nodes, 2 planes). To further double the number of "connections", to be able to model ${ }^{4} \mathrm{He}$, at least 4 uniform space dimensions are needed, where we can get up to 6 disjoint planes ( 4 disjoint planes are needed), that can be used for 3D-3D/4D flux exchange. (If right/left associative math is used, then the number of hyper-planes (halfe-planes) - potentially can double.)

The base particle electron makes only two full rotations, because a large part of the disposable energy is stored in the radial field. The proton mass has a "large" (compared to electron) excess mass that needs a third dimension to flow in. in the 4D world, radial (potential) energy is converted into rotational mass/energy or will be disposed.

### 3.2.2 Sample mass calculation based on 1FC,2FC,3FC

Mass/ fusion energy calculations based on 1FC,2FC,3FC only work fine for nuclei with high symmetry and no neutron excess. The small deviation from measured values is due to internal charge interaction and orbit perturbations. Later we show the exact model that is based on orbits.
Masses for 1FC,2FC,3FC based fusion energy are given in mamu(s) (micro atomic mass units are standard for nuclear tables!).
${ }^{2} \mathrm{H}$ (Deuterium) is not totally symmetric as the $\mathrm{n}-\mathrm{p}$ are only orbiting each other rather than joining their relativistic flux. Thus n-p are not bound by the "strong force".
Deuterium ( $\mathbf{p + n} \mathbf{N j}{ }^{2} \mathbf{H}$ reaction. ) fusion mass Summary: Measured freed energy (-) 2'388.177 mamu See table 1.
$\mathrm{n}, \mathrm{p}$ start one common magnetic flux rotation on a 3D/4D (2FC) orbit and one charge coupled rotation on $1 \times 1$ orbit (1FC). This explains a flux loss of 2341.971 mamu (2FC) and for (1FC) 43.520 mamu total $=$ 2385.491. The first deviation is 2.668 mamu.

Because the combination of a $1 \times 1$ orbit and a 3D/4D orbit looks like $2 / 3$ of a 3D/4D orbit we have one missing wave in the compressed (fusion space). This so called flux hole that needs compression too.
Fine-tuning correction: New Sum flux released $=2385.491$ * 2 FC $=2.771$ second order correction due to flux hole compression. The difference between the measured mamu value and the calculated one is now 0.084 mamu !

| Deuterium calculation | mamu | 2FC | 1FC |
| :---: | :---: | :---: | :---: |
| Neutron | 1'008'664.923 | 0.0011614097 | 0.0000215820 |
| Proton + electron | 1'007'825.032 | Reduction amount 2FC | Reduction amount 1FC |
| Sum particles | 2'016'489.955 | 2'341.971 | 43.520 |
| Sum first order adjustments | 2'385.491 |  |  |
| Correction by 2FC on the Induced flux | 2.771 | 2.771 | 0.0505443282 |
| calculated difference | 2'388.261 |  |  |
| measured difference | 2'388.177 | relative error | 0.0000353391 |
| Calculated Deuterium mass | 2'014'101.694 | absolute error | 0.084 mamu |
| Deuterium mass measured | 2'014'101.778 | relative error | 0.0000000419 |

Table 1 Deuterium mass-calculation

|  | tot. | micro amus | $\alpha / 2 \pi \pi^{*} 82 \mathrm{D} / 4 \mathrm{D}$ flow c. |
| :--- | ---: | ---: | ---: |
| Amu Neutron | 2 | $1^{\prime} 008^{\prime} 664.923$ | $9^{\prime} 371.786$ |
| Amu Proton + electron | 2 | $1^{\prime} 007^{\prime} 825.032$ | $9^{\prime} 363.982$ |
| Amu sum(particles) / tot. bound flux | 4 | $4^{\prime} 032^{\prime} 979.910$ | $18^{\prime} 735.768$ |
| 3FC (use 1 - 3FC) |  | 0.9971130759 | $3 \mathrm{D} / 4 \mathrm{D}$ flow c. |
| Used 4D He4 quanta | 1 | 0.0028869241 | $11^{\prime} 642.907$ |
| Amu He measured | 1 | $4^{\prime} 002^{\prime} 603.250$ |  |
| Delta mamu measured |  | $30^{\prime} 376.660$ |  |
| Delta mamu calculated |  | $30^{\prime} 378.675$ |  |
| Absolute error |  | -2.015 |  |
| Relative error total mass |  | 0.0000005035 |  |


| Helium base calc | tot. | micro amus | a/2m * 8 2D/4D flow c. |
| :---: | :---: | :---: | :---: |
| mamu Neutron | 2 | 1'008'664.923 | 9'371.786 |
| mamu Proton + electron | 2 | 1'007'825.032 | 9'363.982 |
| mamu sum(particles)/flux reduction 2FC | 4 | 4'032'979.910 | 18'735.768 |
| 3FC (use 1-3FC) |  | 0.9971130759 | 3D/4D flow c. |
| Used 4D He4 quanta | 1 | 0.0028869241 | 11'642.907 |
| newly added particles |  |  |  |
| mamu Neutron | 1 | 1'008'664.923 |  |
| mamu Proton + electron | 1 | 1'007'825.032 |  |
| Total Li6 particles sum |  | 6'049'469.865 |  |
| Additional flux quanta released (5/3) | 1.667 | 2'341.971 | 3'903.285 |
| mamu Li6 measured | 1 | 6'015'122.281 |  |
| Charge correction by 1FC | 3 | 1'007'825.032 | 65.253 |
| Delta mamu measured |  | 34'347.584 |  |
| Delta mamu calculated |  | 34'347.213 | 34 '347.213 |
| calculated mass |  | 6'015'122.652 |  |
| Absolute error |  | 0.371 |  |
| Relative error total mass |  | 0.0000000617 |  |

Table 2a Helium mass-calculation
2b) ${ }^{6}$ Li mass-calculation

In 4D (SO(4)) space Helium-4 builds out 4 more connections, than possible in 3D space, with magnetic flux going through in total 4 disjoint! planes. The resulting 3D/4D wave on a 4D curved surface releases 8 3D/4D (2FC) flux exchange quanta, (in total 18735.768 mamu), because it acquires one more degree of rotational freedom.
Additionally the flux of 4-He starts a 4D rotation and releases the so called 4D quantum (3FC) of energy. 4D rotations can be modeled by mechanical analogues.

## A simple sample: The ${ }^{6}$ Li mass (Tab3.b)

${ }^{6} \mathrm{Li}$ can be understood as a Helium (alpha particle) core that is orbited by a deuterium nucleus. The "deuterium" is bound to the ${ }^{4} \mathrm{He}$ core by two flux reduction waves, which finally gives a total of 5 flux reduction waves. Why only 2 bonds? Because in Deuterium we have $1 \times 1$ coupling with the 3 3D/4D waves and thus only $1 / 3$ (one wave) can synchronize with the 2 neutrons/protons inside ${ }^{4} \mathrm{He}$ which adds 2 * $1 / 3$ of $2 F C+3^{*} 1 F C$.

If you can derive the 3D/4D wave structure and the total charge coupling, then the mass calculated method is always highly accurate. But this is an averaging method and not absolutely precise.
As already said, below we will show the orbit based mass modeling, that is much more accurate as the perturbations can be counted in. But first we have to understand the internal structure of a proton and neutron.

### 3.3 Can we directly see 2FC,3FC in the periodic table?

| Si 28 | mamu's |  | delta | missing 3FC quanty |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| measured |  | 27'976'926.533 |  |  |  |
| from particles | 28'230'859.370 | 27'976'926.533 | 253'932.837 |  |  |
| From N -14 | 28'006'148.010 | 27'976'926.533 | 29'221.477 | 11'642.907 | 40'864.3838 |
| From C-14 | 28'006'483.976 | 27'976'926.533 | 29'557.443 | 11'642.907 | 41'200.3498 |
|  |  |  |  | Missing compressio |  |
| From He-4 | 28'018'222.750 | 27'976'926.533 | 41'296.217 | * 2FC * 2FC = | 41'200.3490 |

Tab. $3{ }^{28} \mathrm{Si}$ mass formed from different elements
${ }^{28} \mathrm{Si}$ is a magic nucleus that conforms with the missing torus rigid mass relation (Fig.4) being $7 / 4$. The proton/neutron themselves conform with the second axes torus rigid mass relation being $9 / 8$. This, in total, leads to a perfect mechanical match of all rotating masses that form the only magic nucleus ${ }^{28} \mathrm{Si}$. We show (Tab.3) the build up of ${ }^{28} \mathrm{Si}$ from particles ( $\mathrm{n}, \mathrm{p}$ ) and from other isotopes ${ }^{4} \mathrm{He} \&{ }^{14} \mathrm{C},{ }^{14} \mathrm{~N}$. We know that for each $2^{*} n / p$ pair = alpha particle one 4D quanta ( 11 ' 672.907 mamu ) is released. This quantum is missing if we form ${ }^{28} \mathrm{Si}$ from ${ }^{14} \mathrm{C},{ }^{14} \mathrm{~N}$ because Z is odd or lower. But both, ${ }^{14} \mathrm{C},{ }^{14} \mathrm{~N}$ contain one 4D excess quanta, thus, in total we must add one 4D quantum to get the same flux difference. On the other side we know that simply summing up $7{ }^{4} \mathrm{He}$ neglects the binding force at work inside ${ }^{14} \mathrm{C},{ }^{14} \mathrm{~N}$. As in $\mathrm{SO}(4)$ physics only symmetric orbits are exactly conform with the basic form factors we must choose ${ }^{14} \mathrm{C}$ to get the right result as in ${ }^{14} \mathrm{C}$ charge and mass are symmetric. If we correct the ${ }^{28} \mathrm{Si}$ missing mass from ${ }^{4} \mathrm{He}\left(411^{12} 26.217\right.$ mamu) by $2 \mathrm{FC}^{2}$ then the missing mass from ${ }^{14} \mathrm{C}$ and ${ }^{4} \mathrm{He}$ do exactly match ( $=41^{\prime} 200.349 \mathrm{mamu}$ ). This finding is against common knowledge as people generally believe that charge $(Z)$ is important in the mass forming process. Here we exactly see that internal and external charge are just a matter of matching orbits. Charge is a consequence of an internal orbit relation inside dense mass! Similar exact matches can be seen for ${ }^{56} \mathrm{Ni}$ with one more internal compression step or for ${ }^{84} \mathrm{Kr}$ with more 2 steps.

[^0]About an axis passing through the center and perpendicular to the diameter:
$\frac{m}{4}\left(4 a^{2}+3 b^{2}\right)^{[5]}$
About a diameter: $\frac{m}{8}\left(4 a^{2}+5 b^{2}\right)^{\text {[5] }}$

Fig. 4 Torus rigid mass form factors. (From https://ipfs.io/ipfs/QmXoypizjW3WknFiJnKLwHCnL72vedxjQkDDP1mXWo6uco)

## 4 The 4D Neutron and Proton

Almost all nuclear mass is built of protons and neutrons. But classic theory tells us nothing about the internal structure of neutrons/protons. The SM postulation of quarks is an oversimplification of the reality and has no predictive power for quantitative variables as not even the masses of the quarks are known. Furthermore, using exchange particle like Gluons is nonsensical in a model that it based on relativistic magnetic flux, because such exchange cannot happen at light speed. The SO(4) 4D physics modeling reveals some internal structure of the particles and allows us to exactly calculate some properties.

### 4.1 Magnetic moment of Proton

As a first illustrative sample we will calculate the magnetic moment of the proton. For that purpose we will use a simple 3D physics formula for a magnetic moment.

$$
\begin{align*}
& \text { Current }=\frac{c^{*} e}{a_{0} * 2 \pi} \Rightarrow\left(A^{*} 10^{3}\right)  \tag{7}\\
& \text { Magnetic }- \text { moment }=\text { Area } * \text { current }=\frac{c^{*} e}{a_{0} * 2 \pi} * a_{0}^{2} * \pi \Rightarrow 10^{-26} \mathrm{JT}^{-1}  \tag{8}\\
& M-\text { moment }- \text { simplyfied }=\frac{c^{*} e^{*} a_{0}}{2} \tag{9}
\end{align*}
$$

Table 3 proton magnetic moment and perturbation
The only parameter of interest in this example is the radius $\left(a_{0}\right)$ which is given by the latest measurement.
Because the proton has a magnetic moment, in average charge must flow on one radius, that is the 3D projection of the measured 4D radius. If we use the measured radius the moment will be to large because in the $4 D$ torus (see Fig.2) the effective radius is $1 / 2$ of the classic radius. If we stick to the 3D model, then we have to divide the result of formula (9) by $2^{1 / 2}$. The other way round is a bit more complex to understand. If we use $\mathrm{a}_{\mathrm{o}} / 2$ as the input the we must multiply the result by $2^{1 / 2}$.

The uncorrected result for the calculated proton magnetic moment is only 98,8\% exact (see tab. 3 light blue) because the proton mass is highly perturbed by its own magnetic field that is fully expanded to 4 dimensions (that can be normalized to 3). Because, the proton can only acquire 3D/4D flux energy the number of involved radii is 3 . According to our method we calculate the perturbation for one radius that is 0.99593349 . The big surprise is that the perturbation is the "exact" product ( 0.99593352 ) of the well known 3D/4D flux compression constants. After applying the correction the result is far below the precision of the radius measurement.

If we do a reverse 3D radius calculation then we get 0.840869916 instead of the experimental 0.84087 .

### 4.2 Proton mass calculations

The proton magnetic mass formula (10) below can be derived from the electron magnetic mass formula (0). In the electron formula the radius to use is $r=$ "electron de Broglie radius". In the proton case we use the 3D equivalent 4D radius derived from the $4-\mathrm{He}$ charge radius ( 1.6753 fm ). Keep in mind that the effective radius in 4D is $1 / 2$ of the 3D equivalent. Thus, in formula (10), we must divide 1.6753 fm by two Nj $\mathrm{r}=0.83765$.. what gives the 3D equivalent (-4D) radius of the proton. For the 4D proton radius we must divide once more by 2 (because ${ }^{4} \mathrm{He}$ has 4 times more flux than a proton) and flux is proportional to $r^{2}$ or one can multiply the result of (10) by 8 !
(10) $M_{\text {proton }}(e V)=\mu_{p}^{2 *} 4^{*} \pi \pi^{*} 100000 /\left(a^{*} \pi^{*} r^{3 *} e\right)$

In formula (10) $4^{*} \pi{ }^{*} 100000$ stays for $\mu_{o}$ and the adjustment of the dimensions to get electron volts but the factor $\pi$ can be crossed out. (Here the mass is given in eV and thus $\varepsilon_{0}$ is replaced by $\mu_{0}$.

Because the magnetic mass stays in 4 dimensions in the very first calculation we used an estimated radius derived from ${ }^{4} \mathrm{He}$ flux. The ${ }^{4} \mathrm{He}$ charge radius ( $1.6753 / 2 \mathrm{fm}$. from Russian database with correct electron measurement) can be used because ${ }^{4} \mathrm{He}$ has no free 3D/4D flux mass/waves, what can be seen from the (not existing) gamma spectrum. To the intermediate result we apply the same perturbation correction we found for the exact 3D calculation of the proton magnetic moment, namely: (3FC*2FC*1FC) ${ }^{3}$. (See chpt. 4.1 above) It is obvious that a formula that follows the proton magnetic moment has its perturbation. Using the uncorrected ${ }^{4} \mathrm{He}$ radius equivalent (Tab.4a) already delivers a good approximation for the proton mass.

But for finding the exact details given in Tab 4b) more must be done. There is a mathematical relation that maps 5 rotations into 3 rotations analogue to the $\sin (5 x) / \sin (3 x)$ energy relation of two waves. Furthermore we must know the radius of a 5 rotations particle. Thus we initially used the 5 rotations neutron radius to derive the relativistic proton radius of 0.83765300697 fm that is close to 1 eV exact. This allowed us to derive the proton internal structure.

| $\mu$ proton | 1.4106067873 |
| :--- | ---: |
| 3D/4D radius from 4-He $(\mathrm{fm})$ | 0.837650000000 |
| magnetic energy uncorrected | $926^{\prime} 613^{\prime} 063.470$ |
| 4D correction $\mu$ proton | 0.9878501147 |
| correcting with $\mu$ p perturbation | $938^{\prime} 009^{\prime} 774.596$ |
| Top down mass using 4D potential | $9377^{\prime} 999^{\prime} 671.493$ |
| Error ratio proton mass | 0.9997204364 |
| Alpha quantization for 3D/4D | 262306.703831434 |
| $\left(1-\left(a l p h a /\left(P I()^{*} 16\right)\right)\right)^{\wedge} 2$ | 0.9997096686 |
| Mass corrected by above factor | $938^{\prime} 282^{\prime} 187.337$ |
| proton mass | $938^{\prime 272 ' 081.300}$ |
| mass difference | $10^{\prime} 106.037$ |
| relative error | 0.0000107708 |


| $\mu$ proton | 1.4106067873 |
| :--- | ---: |
| 3D/4D radius from 4-He $(\mathrm{fm})$ | 0.837653007404 |
| magnetic energy uncorrected | $926^{\prime} 603^{\prime} 083.121$ |
| 4D correction $\mu$ proton | 0.9878501147 |
| correcting with $\mu$ p perturbation | $937^{\prime} 999^{\prime} 671.495$ |
| Top down mass using 4D potential | $937^{\prime} 999^{\prime} 671.493$ |
| Error ratio proton mass | 0.9997096686 |
| Alpha quantization for 3D/4D | 272409.804500937 |
| (1-(alpha/(PI()*16)))^2 | 0.9997096686 |
| Mass corrected by above factor | $938^{\star} 272^{\prime} 081.302$ |
| proton mass | $938^{\prime} 272^{\prime} 081.300$ |
| mass difference | 0.002 |
| relative error | 0.0000000000 |

Tab. 4a proton magnetic mass-calculation
The second perturbation of the proton mass is $\left(1-\left(\boldsymbol{a} /\left(\Pi^{*} 16\right)\right)\right)^{2}$ (corresponds to exactly 272 '409.8 eV if derived from the proton mass). $\left(1-\left(\boldsymbol{a} /\left(\pi^{*} 16\right)\right)\right)^{2}$ is the relation of alpha to the whole 3D/4D surface (4 inner/outer spheres) of 4D space. About the same perturbation can be calculated from the de Broglie radius potential of the proton.

The result shown in Tab. $4 b$ is the reverse calculation starting with the proton mass and the known mass/wave structure. Formula (11) is the final proton magnetic mass formula that shows an possible $\boldsymbol{a}$ quantization.
(11) (Mass proton in eV ) $=\mu_{\mathrm{p}}^{2 *} 4^{*} \pi^{*} \mathbf{1 0 0 0 0 0 / ( a ^ { * } \pi ^ { * } r ^ { 3 * } \mathbf { e } ^ { * } ( 3 F C * 2 F C * 1 F C ) ^ { 3 * } ( 1 - ( a / ( \pi ^ { * } 1 6 ) ) ) ^ { 2 } ) , ~ ( 3 ) ~}$

The 4D potential part $\left(1-\left(\boldsymbol{a} /\left(\pi^{*} 16\right)\right)\right)^{2}$ of the mass is a square form of $\boldsymbol{a}$. This allows the prediction that the proton mass based on the magnetic moment can undergo a quantization.

The first five (unperturbed) levels of the proton quantization are the following: (2'002.34, 4'034.33, 6'096.64, $8^{\prime} 189.95,10 ' 314.96 \mathrm{eV}$ using ((1/a) -n$)$; $\mathrm{n}=1,2,3, .$. ). In [1][2][5] the experimenter(s) found that at 1 keV particle (proton) stimulation energy strange resonances do occur. 1 keV is half of the first alpha quantization. This is the correct 3D,t resonance energy as in a su(2) $x$ su(2) quotient only one half (outside running mass) can kinetically interact! The cut-off of the spectrum seems to fit the quantization.

An other interesting aspect is that the proton quantization $\left(1-\left(a /\left(\pi^{*} 16\right)\right)\right)^{2)}$ delivers very exactly $1 / 4$ of the de Broglie radial potential energy, that can be further refined by the known $1 \mathrm{FC}^{3}$ radial perturbation. Seen from this perspective, we can say that the quantization energy (with high precision) is directly coupled with the classic potential energy as seen in experiments [1][2][5]. As you may see in tab 4a already a small deviation in the radius leads to a "large" error in the overall fit. Using the best experimental radius approximations (virtual deuterium model[6]) gives errors in the 200 eV range but with a much larger error bar!

### 4.2.1 Radius discussion

The ideal ${ }^{4} \mathrm{He}$ compression is $\left(1-5^{*} 2 \mathrm{FC}\right)$ " $=" 0.994192951338^{1.51 \ldots}=0.9961649819\left(1.51 \ldots=2^{3 / 5}\right)$. This corresponds to the folding of 5 dimensions of potential energy into 3 rotations. The base flux compression of "nature" can be derived from the $4-\mathrm{He}$ mass as it is the sole nucleus that has no free 3D/4D flux. As flux
can be modeled/measured as units of energy passing through a boundary in plane (manifold) the square root of the natural compression gives a first approximation ( $0.99622 .$. ) of the effective (magnetic) flux compression. As 4 He has an internal structure the overall value is not an average.

Detailed derivation see table 5 below. From the 4D model of the neutron we know that the neutron has a 4D

| mamu He4 | 4'002'603.25 | 4'002'351.58 | 4'002'603.25 | 4'002'603.25 | flux hole and also the ability |
| :---: | :---: | :---: | :---: | :---: | :---: |
| He4 from particles | 4'032'979.91 | 4'033'231.59 | 4'033'483.26 | 4'033'480.84 | to release 4D excess flux. |
| compression ratio (CR) | 0.9924679367 | 0.9923436058 | 0.9923440836 | 0.9923446793 |  |
| torus area $\mathrm{r}^{*} \mathrm{r} \rightarrow \mathrm{r}^{*} \mathrm{CR}^{1 / 2}$ | 0.9962268500 | 0.9961644472 | 0.9961646870 | 0.9961649860 |  |
| Ideal compression |  |  |  | 0.9961649819 |  |

Table 5. Possible approximation of ideal 4 He flux compression.
The base assumption is that in ${ }^{4} \mathrm{He}$ there is hidden internal flux compression happening between the two neutrons that explains the mass difference given in Tab 2a. Basically one neutron (see 4.3 below) can release three hole wave equivalents ( 503 mamu ) of flux and accept two more waves. The first column of table 5 shows the unchanged ${ }^{4} \mathrm{He}$ compression ( 0.99622 for torus flux area) based on measured data. The next two columns show adding hidden mass (three waves) compression symmetrically (column 2) and on top (column 3). With this (blue field) we already see 6 digits agreement with the optimal ${ }^{4} \mathrm{He}$ compression. In the last column we did add the 3 waves with the corresponding ${ }^{* * * * *}$ weights multiplied by the expected $2 F C / 3 F C$ compression, what gives 8 digits (green field). This is just to show that there is a physical explanation for the factors we finally used.
*****Used weights: $500.929=336.541^{*} 3 F^{2 *} 2 F^{4}+168.271^{*} 2 F^{2}{ }^{2}$. 4 D excess mass must first be once compressed by 3FC*2FC ${ }^{2}$ to be again plain mass and the once more compressed by 3FC and $2 \mathrm{FC}^{2}$ to get the 4 He mass density equivalent mass. The 4D hole needs only a $2 \mathrm{FC}^{2}$ compression (As seen above in ${ }^{28} \mathrm{Si}$ !)

| 4D potential free neutron radius | 0.840877788500 | The neutron 4D potential free radius $(0.840877885 \mathrm{fm})$ is about |
| :--- | :--- | :--- |
| 3D radius | 0.837653006969 | digits exact because it can be exactly derived from the |
| Quotient | 0.996164981909 | neutron mass. Thus the 3/4D radius is 10 digits exact too, |
| $1-5^{*} 2$ FC | 0.994192951338 | because it is found by a mathematical relation. The quotient of |
| $2^{3 / 5}$ | 1.515716566510 | $R_{4 D} / R_{3 D}$ is the ideal (real) ${ }^{4} \mathrm{He}$ compression of the involved |
| (Quotient) ${ }^{1.5157165665}$ | 0.994192951338 | particles.. |

Table 6. Logarithmic radius/compression relation
The factor ( $1-5^{*} 2 F^{\prime}$ ) can also be found in the 4D mass build up because (1-2.5*2FC') gives the exact amount of 3D/4D energy that is converted into additional 4D energy in nuclei starting with ${ }^{11} \mathrm{~B}$.

For people interested in basics math: Relations of frequencies are relations of energy. They (e.g. $\sin \left((3 / 5){ }^{*} x\right)$ can be mutually expressed in quaternion math by exponents and logarithms. That's exactly what is used above.

### 4.2.2 The potential free neutron radius

Because the neutron is a proton with excess mass, we did look for a consistent interaction radius for the neutron, that is slightly larger than the proton radius.
Details for Neutron see chapter below. The 4D excess-energy of the neutron is "neutron mass" * $3 F C^{\prime}=2^{\prime} 712^{\prime} 454 \mathrm{eV}$. The coulomb-potential for e.g. the largest possible proton 3D radius ( 0.8408739 ) is $1^{\prime} 712^{\prime} 462 \mathrm{eV}$. The difference of the two potentials is 999 ' 992 eV . In 4D physics we usually build quotients to compare quantities. The quotient base of the 4D/3D potential is $1^{\prime} 000$ ' 000 . This is coincidentally the same base we also use for $\mu_{0}$.(radius in denominator!) The above radius of 0.8408777885 fm is just the coulomb radius where the difference of 4D-3D pot is the quotient base. In [6], one year ago, we already used this radius ( 0.8408777885 ) for the virtual deuterium model and found a 7 digits agreement between the magnetic moments of proton/neutron deuterium radius and the above radius. The problem with such experimental data is the low quality/precision of any charge radius measurement.

### 4.3 The Neutron mass

This again shows the "historical" path for finding the neutron structure using known quantities from 3D models. The exact $\mathrm{SO}(4)$ neutron structure is shown in chpt. 7 based on the $\mathrm{SO}(4)$ orbit model.

The neutron is a 4D excess Energy particle. This is obvious as the source of all neutrons is the nucleus where they "live" in a 4D environment. A combination of an electron and a proton is only possible with
maximally two charge coupling rotations. The so called 4D-excess-energy part of the neutron is calculated by 3FC' applied to the neutron mass. This gives a value for 4 rotations. According to Mills we can reduce one dimension by applying the above (see 1.1) mentioned $\gamma^{*}$ factor. The result (tab.7), by applying the

| Tabulated neutron excess mass | 782'332.96 | actor twice is the so called "electron sec factor" |
| :---: | :---: | :---: |
| Neutron mass in eV | 939'565'413.21 | an also be calculated by using the Mills |
| Neutron mass * 3FC* $=$ excess 4D flux | 2'712'454.00 | be calculated by using the Mills |
| compensation for electron excess |  | formula for mass equivalence. The effective |
| ${ }^{* *}\left(1+\mathrm{Pl}()^{*} \mathrm{D}^{\wedge} 2\right)^{\wedge} 2:$ Mills 36.15 3D $\rightarrow$ 2D | 1.0003346161 | neutron 4D excess mass has about the same |
| $3 \mathrm{FC}^{* *}$ charge normalized by* 4D--> 2D | 0.9974467260 | density as the |
| 4D excess flux gained by neutron-mass * 3FC** | 2'398'967.91 | density as the e |
| Corresponds to electron 4D->2D/3D flux loss (M:36.4) | $313 ' 486.10$ | eV (yellow field). |

Table 7. The neutron 4D energy
The values of table 7, above and table 8 below, are calculated as 3D externalized energy amounts of the neutron decay. We show this first neutron model as it historically allowed to find the neutron radius and the important neutron energy hole wave energy (Tab. 7 brown 313 keV ). The term/quantity spin-flip energy is borrowed from Mills. The same quantity ( 10 eV smaller) can be derived from the delta between a 4D quantum and the corresponding 3D/4D mass. If a neutron decays the potential energy of 1.7 MeV (tab 8) must be built up again. The potential is calculated at the calculated magnetic radius ( 0.840869916 fm ). After this step about 686505 eV of 4D energy remain. The flux captured by the electron can be calculated according to Mills formula as rest-mass of electron divided by " $2 \pi$ ". During the decay classically one spin of a down quark is flipped. This energy has been calculated by Mills. Further the de Broglie energy of the neutron changes to the proton's. This are the terms marked green. They together constitute the so called kinetic energy terms and are, in their sum, exactly the ones measured in the "aSPECT" experiments[10]. The green marked energies are directly coupled with the e-p bond.

The blue marked energies are the 3D/4D and 4D excess energy parts of the electron rest mass. These

| magnetic proton charge radius in fm . | 0.8408699160 energies stay in 4 dimensions. Summed up, |
| :---: | :---: |
| electron potential at exp p-radius | $1^{1712^{\prime} 470.04}$ the neutron excess energy is ( $5^{+}$digits) |
| (4D flux gain) - (potential to overcome) | $686{ }^{\prime} 497.87$ correctly calculated. Some small parts are still |
| Freed excess electron flux of neutron $\mathrm{e}_{0} / 2 \mathrm{pi}()$ | 81 '328.01 unknown like the role of the 13.6 eV at the |
| rebuild 1FC potential | -11.03 unknown like the role of the 13.6 eV at the |
| Freed excess electron flux 3D/4D (2FC) induced | 94.46 Bohr radius. Do we have to account them in |
| Freed excess electron flux 4D (3FC) induced flux | 234.79 the electron rest mass? The 1FC correction |
| Spin flip energy N-->P (Mills: 39.7) | $\frac{15 ' 691.94}{-150211}$ (second torus radius potential) might then also |
| (less gain) - de Broglie wave correction Rn--> Rp | -1'502.11 (second torus radius potential) might then also |
| Neutron kinetic excess mass 4D--> 2D/3D | 782'015.71 ${ }^{\text {b }}$ be slightly different |
| Missing to measured Neutron excess | 317.25 |
| Adding 3D \& 4D flux to 81238.01 eV e excess | 318.21 |

Table 8 Neutron 3D/4D "excess-energy" parts

|  | mamu | eV |
| :--- | ---: | ---: |
| Neutron excess in mamu | 839.869 | $782^{\prime} 332.965$ |
| Neutron 4D hole | 336.541 | $313^{\prime} 486.098$ |
| Freed energy neutron->4D | 503.328 | $468^{\prime} 846.867$ |

Table 9 Relevant amounts of neutron energies.
Table 9 shows the two junks of energy we must take into account if a neutron stays inside a nucleus. The neutron 4D hole (168.271mamu $=313^{\prime} 486 \mathrm{eV}=>2$ waves) consists of two missing, uncompressed waves that initially contain no mass. The neutron excess energy has the weight of 3 waves and consists of matter with a reverse ${ }^{4} \mathrm{He}$ compression.
This neutron wave structure is immanent in the periodic system of elements and can directly be seen in the
mass build up of e.g. 9-Be, 10-B, 14-C, $15 \mathrm{~N}, .$. with one hole wave or: $10-\mathrm{Be}, 15-\mathrm{O}, 56-\mathrm{Co}, 57-\mathrm{Fe}, .$. with two hole waves. Or: $3-\mathrm{H}, 3-\mathrm{He}, 13 \mathrm{C}, 17-\mathrm{O}, 21 \mathrm{Ne}$ etc. with 3 excess waves.
For an example see $\operatorname{Tab} 9 . b .{ }^{10} \mathrm{~B} \mathrm{SO}(4)$ mass structure with neutron hole wave.
In total the neutron can make 5 "wave connection", with the above shown small differences.

|  | B mass calculation |  |  |
| :--- | ---: | ---: | ---: |
| measured mass |  |  | $10^{\prime} 012^{\prime} 937.027$ |
| mass from particles |  |  |  |
| mamu Neutron | 5 | $1^{\prime} 008^{\prime} 664.923$ | $5^{\prime} 043^{\prime} 324.615$ |
| mamu Proton + electron | 5 | $1^{\prime} 007^{\prime} 825.032$ | $5^{\prime} 039^{\prime} 125.160$ |
| sum 5* $(\mathrm{n}+\mathrm{p}+\mathrm{e})$ |  |  | $10^{\prime} 02^{\prime} 449.775$ |
| mass loss (sum particles -measured mass) | $69^{\prime} 512.748$ |  |  |
| 2 x $^{4} \mathrm{He}$ base mass reduction |  |  | manu |
| Bound flux | 2 | $18^{\prime} 735.768$ | $37^{\prime} 471.537$ |
| 4D flux | 2 | $11^{\prime} 642.907$ | $23^{\prime} 285.814$ |
| newly added particles |  |  |  |
| mamu Neutron | 1 | $1^{\prime} 008^{\prime} 664.923$ | $1^{\prime} 171.473$ |
| mamu Proton + electron | 1 | $1^{\prime} 0077^{\prime} 825.032$ | $1^{\prime} 170.498$ |
| 3 base flux reduction waves n+p |  | $2^{\prime} 341.971$ |  |
| 8 additional waves |  |  | $6^{\prime} 245.256$ |
| Neutron waves | 1 |  | 168.271 |
| Sum flux compression calculated |  | $69^{\prime} 512.848$ |  |
| calculated mass |  |  | $10^{\prime} 012^{\prime} 936.927$ |
| Absolute error |  |  | -0.100 |
| Relative error total mass |  |  | -0.00000001 |

### 4.3.1 Conclusion

The neutron hole and excess waves are a fact seen already in the mass structure. The kinetic \& 4D excess energies are used in [6] to calculate the exact neutron half live. Thus we know the neutron structure with about 5 digits precision.

## 5 Some measured and derived quantities we use

| Charge | e | : 1.6021766208 e-19 C |
| :---: | :---: | :---: |
| Speed of light | C | : $2.99792458 \mathrm{e} 8 \mathrm{~m} / \mathrm{s}$ |
| Fine structure constant | a | : 0.00729735256635 |
| Gravitation constant | G | $: 6.67408 \mathrm{e}-11 \mathrm{~m}^{3} / \mathrm{s}^{2} \mathrm{~kg}$ |
| Electron g-factor | $\mathrm{e}_{\mathrm{g}}$ | : 1.00115965218091 |
| Electron mass | $\mathrm{m}_{\text {e }}$ | : 510'998.9461eV |
| Perturbative electron mass | $\mathrm{m}_{\text {ep }}$ | : 1183.1037eV |
| relativistic electron mass | $\mathrm{m}_{\text {er }}$ | : 509'815.8424eV |
| relativistic bound charge mass | $\mathrm{m}_{\text {erb }}$ | $508 \cdot 632.7 \mathrm{eV}=\mathbf{m}_{\text {er }}-\mathbf{m}_{\text {ep }}$ |
| electron ionization energy | $\mathrm{m}_{\text {ei }}$ | : 13.59843449 eV |
| Proton mass (eV) | $\mathrm{m}_{\mathrm{p}}$ | : 938'272'081.4797eV |
| Proton mass | $\mathrm{m}_{\mathrm{p}}$ | $: 1.67262189821 \mathrm{E}-27 \mathrm{~kg}$ |
| relativistic proton mass | $\mathrm{m}_{\mathrm{pr}}$ | : 926'603'083.294eV |
| Perturbative proton mass | $m_{p p}$ | : 11'668'998.2eV |
| Proton mass 3D/4D | $\mathrm{m}_{\text {p3D4D }}$ | : $11{ }^{\prime} 396{ }^{\prime} 588.4 \mathrm{eV}$ |
| Proton 4D/1D potential mass | $\mathrm{m}_{\mathrm{ppo}}$ | : 272'409.8066eV - (as factor: $\left(\left(1-\left(\alpha /\left(\pi^{*} 16\right)\right)\right)^{2}\right)$ ) |
| Proton de Broglie radius | $\mathbf{p}_{\text {dbr }}$ | : 1.3214098537 fm |
| Proton de Broglie radius potential | $E_{\text {pdbr }}$ | : 1089718.3271 eV |
| Proton de Broglie radius potential 1D | $1 / 4^{*} E_{\text {pdbr }}$ | : $272{ }^{\prime} 429.5818 \mathrm{eV}$ |
| Proton magnetic radius | $r_{\text {pm }}$ | $: 0.840869916095 \mathrm{fm}$ (measured 0.84087fm) |
| Proton relativistic mass radius | $r_{\text {pr }}$ | : 0.837653007404 fm |
| Proton 4D/3D**** de Broglie radius | $\mathbf{r}_{\text {pdbr }}$ | : 0.841235640192 fm |
| Hydrogen Bohr radius | $\mathrm{r}_{\mathrm{B}}$ | : 52.9177210527pm |

## 6 The semi classic magnetic Bohr (Hydrogen) model

If physics would work as expected conventionally then the total ionization energy of hydrogen should be the sum of formulas $11+12$. From table 10 (below) it is easy to see that the calculated magnetic energy (base is classic Bohr radius!) is far to large.
(11) E-coulomb $=e^{2} / 8 \pi \varepsilon 0 r_{B}$
(12) $E_{\text {magnetic }}(\mathrm{eV})=\mu_{\mathrm{B}}{ }^{2 *} 4 \pi^{*} \mu_{\mathrm{o}} /\left(\mathrm{r}_{\mathrm{B}}{ }^{3 *} \mathrm{e}\right)$

The 4D model assumes that all energy is stored in magnetic flux. This implies that the electron orbiting a proton is not only behaving as a charge. The electron effectively behaves as magnetic flux. Thus if we have to calculate magnetic coupling we can use the orbiting weight(s).


Electron magnetic core mass 509 '815.8eV

The electron mass in an $\operatorname{SU}(2) \times S U(2)$ representation can be normalized into two parts. The magnetic core mass and the perturbative mass given by the magnetic moment perturbation, also known as electron $g$-factor. The coupling is given by a ( $1 \times 1$ ) $\mathrm{x}(1 \times 1)$


4b) projected 4D orbits
Fig.4a Electron 4D mass components
the Biot-Savart coupling works only from the rotation that is synchronous to the core mass. This small coupling force finally gets added to the overall attractive force according to the relative masses at work. The coupling of the magnetic mass with has already be included (reduced mass) thus the fraction of mass involved in coupling is 0.002317 ..times the weight of the magnetic energy $=$ $0.05720 . . \mathrm{eV}=0.0001326 . . \mathrm{eV}$ The first 4D adjustment of the Hydrogen ionization energy is given by the dark yellow field figure in tab.10. It is about 5.6 digits exact which is quite good. Because this mass is added according a wave we must do the additional correction by 10/9.

The measured ionization energy (NIST) is given in the dark

| Rf : reduced electron factor | 0.9997276305 |
| :---: | :---: |
| Bohr radius ( Rb ) | 52.9177210527 |
| reduced mass Bohr radius ( RRb ) $=\mathrm{Rb} / \mathrm{Rf}$ | 52.9321381531 |
| potential at reduced $\mathrm{e}_{\text {Rb }}$ | 13.6019872382 |
| classic error absolute (eV) | 0.0001472818 |
| classic error relative | 0.0000108278 |
| electron perturbation $\mathrm{e}_{9}$ factor | 1.0011596522 |
| el. magn. excess mass $=\mathrm{Me}^{*}\left(1-1 / \mathrm{elg}^{2}\right)$ | $1^{1} 183.1037038626$ |
| electron core mass $+1 / 2$ excess mass | 510420.996382589 |
| Relativistic excess-mass/electron mass ratio | 0.0023178978 |
| uncorrected magnetic energy at $\mathrm{Rb}(\mathrm{eV})$ | 0.0572059311 |
| only coupling with rest-mass (eV) | 0.0001325975 |
| First adjusted ionization energy | 3.6021198357 |
| error absolute (eV) | 0.0000146843 |
| error relative | 0.0000010796 |
| magnetic correction $(1+1 / 9) * 0.0001326010$ | 0.0001473306 |
| measured lonization energy | 13.6021345200 |
| final corrected value (spin/spin corrected) | 13.6021345687 |

Tab 10b) deuterium ionization energy

### 6.1 Used formulas for stored magnetic energy of an electron orbiting a proton.

The formulas $(13,14)$ to derive the coupling energy are given below. They are valid for the muonium (and 4He ). Because we already did the relativistic correction, when using the correct reduced (split) electron mass, we only do compensate for the "Larmor energy" given by the cosine term of (14). The final calculated value is given in the orange field. The correction factor is given proportional to the Bohr magneton ( $\mu_{\mathrm{B}}{ }^{2}$ ) used in the magnetic energy.

The following equations of R.Mills are given for the muonium.
(13) Mills 2.243

$$
\mathbf{E}=\frac{e}{4 \pi \varepsilon_{0} r^{2}}\left[Y_{0}^{0}(\theta, \phi) \mathbf{i}_{\mathrm{r}}+\operatorname{Re}\left\{Y_{\ell}^{m}(\theta, \phi) e^{i m \sigma_{n} t}\right\} \mathbf{i}_{\mathbf{y}} \delta\left(r-r_{1}\right)\right]
$$

This is the energy of a spherical harmonic dipole of the magneto static "Larmor" field caused by the spin/spin interaction. The spherical harmonics is represented by $\operatorname{SIN}(\theta)$. We use this formula to find the coupling if the $S U(2) \times S U(2)$ interaction of the core magnetic $X$ perturbative electron mass with the proton magnetic moment. The solution of the integral delivers the cosine term (14) of the correction.

Mills 2.244 Delta $\mathrm{E}_{\text {mag }}$ muon: $\quad=-\left(1+\left(\frac{2}{3} \cos \frac{\pi}{3}\right)^{2}+\alpha\right) 4 \pi \mu_{0} \mu_{B}^{2}\left(\frac{1}{r_{2+}^{3}}-\frac{1}{r_{2-}^{3}}\right)$
Mills $1.162 \quad E_{\text {mag total }}=\frac{4 \pi \mu_{0} \mu_{B}^{2}}{r^{3}}$

Mills 1.253

$$
\begin{equation*}
\frac{m_{e}}{4 \pi r_{1}^{2}} \frac{v_{1}^{2}}{r_{1}}=\frac{1}{4 \pi r_{1}^{2}} \frac{\hbar^{2}}{m_{e} r_{1}^{3}}=\frac{e}{4 \pi r_{1}^{2}} \frac{Z e}{4 \pi \varepsilon_{0} r_{1}^{2}}-\frac{1}{4 \pi r_{1}^{2}} \frac{\hbar^{2}}{m r_{1}^{3}} \tag{15}
\end{equation*}
$$

Force-flux equation for the p-e system including the magnetic energy.

We here do not show the calculation for higher orbital states with $n>1$. All states are at least 8 digits exact and the states $2,3,4$ show some interesting behavior.

## 7 The orbit based model of dense mass

This drawing shows the proton orbit structure that, when detailed looks like (1) $x((1) x(1 \times 1)) x((1 \times 1) x(1 \times 1)) x$ $((1 \times 1) \times(1 \times 1)) \times((1 \times 1) x(1)) \times(1) x$ wrap around.


Or simplified ( $2 \times 2$ ) $\times(2 \times 1) \times(1 \times 1)=4$ rotations coupled with 3 rotations coupled with 2 rotations. Because single Biot-Savart 1:1 coupling is equivalent to Coulomb coupling we could also write $1^{*} 1$ instead if $1 \times 1$. The three (3D/4D) rotation mass is only given on the right side, but runs on both projected half torus covers of $\mathrm{SO}(4)$. The $1 \times 1$ mass is shown as two separate torus albeit it runs on a 5 rotations $(1 \times 1 \times 5)$ surface which is not simply done in a projection. But it usually couples only $1 \times 1$. (Energy Eigenvalues.)

Fig. 5 proton orbits

### 7.1 Hydrogen ionization based on orbit coupling

Perturbations are proportional to neighbor coupling orbit forces. As a result the total force balance must be " 1 ". $\mathrm{f}(\mathrm{u})^{\star} \mathrm{M} 1 / \mathrm{M} 2^{\star f}(\mathrm{v})=1$. The deviation can be written as. $1+\mathrm{f}(\mathrm{v}) / \mathrm{f}(\mathrm{u})$.
from the proton magnetic mass/moment formula we know that the radial force is given by (3FC*2FC*1FC),

| Bohr radius | 52.9177210527 |
| :--- | ---: |
| Bohr potential | 27.2113860282 |
| Classic red mass | 0.9994556794 |
| Bohr Hydrogen potential | 13.6056930141 |
| a) Corrected by reduced mass | 13.5982871496 |
| 1FC attach to proton | 1.000010835 |
| b)1+0.5*1FC'/(3FC*2FC*1FC) | 13.5984344876 |
| corrected potential a)*b) | 13.5984344900 |
| measured potential |  |
| error: none | within measurement | the spin pairing ( $1 \times 1$ ) electric force is given by 1FC the change in mass is given by 1FC' because $f(v)$ is a mass only as it does not couple with the proton again we must used the change in mass. The coupling weight has already been discussed above and is $1 / 2$. The resulting coefficient is 1.0000108..(Tab.11). The matching is within the tiny measurement error of +-1 to the last digit.

Table 11. Orbit based Hydrogen model

### 7.2 The orbit structure of Neutron,Deuterium, 4-He

| a) neutron excess mass | $1^{\prime} 293 ' 332.000$ |
| :--- | ---: |
| b) Neutron excess energy (a - e) | $782^{\prime} 333.054$ |
| c) Proton 4D potential 1D | $272^{\prime} 409.807$ |
| d) electron perturbative mass | $1^{\prime} 183.104$ |
| electron mass | $510^{\prime} 998.946$ |
| e) electron relativistic mass | $509^{\prime} 815.842$ |
| remaining mass : b - - e | 107.404932022 |
| f) 2* 4D potential (2*m $\left.{ }_{\mathrm{p}}{ }^{* 1 F C}\right)$ | $40^{\prime} 499.503$ |
| g) 2*f*2FC | 94.073 |
| h) 2*f*1FC | 1.748 |
| i) g + h | 95.821 |
| Rest excess (delta 3D/4D pot!) | 11.584 |
| k) repulsive potential 2* c *1FC | 11.758 |
| rest error absolute | 0.1744950623 |

Tab.12a) Neutron orbit masses

|  | eV |
| :---: | :---: |
| DD bond | 2'224'572.773 |
| a) $2^{*}$ proton 3D pot (mp*2FC') | 2'179'436.654 |
| b) $2^{*} 4 \mathrm{D}$ potential (second radius) | $40 ' 499.503$ |
| c) $4^{*}$ electron perturbative mass | 4'732.415 |
| Delta before repulsion | -95.798 |
| d) $2^{*} 3 \mathrm{D}$ pot of 4D pot mass | 94.073 |
| e) 2*4D pot of 4D pot mass | 1.748 |
| delta mass | 0.023 |

Tab 12b) deuterium obit masses

To understand the neutron the best way is to look at Deuterium and the neutron in parallel. The Deuterium orbit model (Tab.12b) is simple and the internal neutron shows a 5 rotation charge based coupling. In

Tab.12a) you see that in the formation process one $\mathbf{m}_{\mathrm{ep}}$ is released (d) as in a neutron $2 \mathbf{m}_{\mathrm{er}}$ do couple and share one $\mathbf{m}_{\mathrm{ep}}$. During the formation of Deuterium 4 more $\mathbf{m}_{\mathrm{ep}}$ get released which gives in total $5 \mathbf{m}_{\mathrm{ep}}$, that are released, if we form Deuterium from proton an electron only.The coupling mass - (1x1) orbit to mass remains the same as inside the $\mathrm{SO}(4)$ frame the charge mass is $\boldsymbol{m}_{\text {erb }}$.

Thus Deuterium is formed by one 1FC bond between the two proton masses. Tab 12b/line d). In the joined flux plane $=2$ dimensions the de Broglie radius potential gets released**** $12 \mathrm{~b} / \mathrm{a}$ ). The two symmetric charge masses change from a $1 \times 1$ orbit to $1 \times 1 \times 5$ orbit. The two corrections $\mathrm{d}, \mathrm{e}$ ) are the "missing" coupling of the $1 \times 1$ orbit with the electric forces ( $1 \mathrm{FC}, 2 \mathrm{FC}$ ) and the released potential b ).

Now it is easy to understand the free neutron mass Tab.12a). The symmetric charge masses $\mathbf{m}_{\mathrm{er}}$ are the same the coupling mass is also $\mathrm{m}_{\mathrm{ep}}$. But the neutron must cancel the proton charge this is done by anti symmetric proton 4D potential mass. These two masses are already 107 eV close to the neutron excess mass. The small corrections are the same as for deuterium. The remaining 11.6 eV are given by the repulsion between the two proton 4D potential masses.
**** The release of the two de Broglie radius potentials can also directly be seen in the first ${ }^{6}$ Li gamma line ( 2186.2 keV ) that is given by the sum of the 2 de Broglie radius potentials and the charge masses (and tiny perturbations).

### 7.2.1 4-He Orbit structure

| a) 4-He from deuterium |  |
| :--- | ---: |

The formation of ${ }^{4} \mathrm{He}$ from Deuterium is straight forward (Tab.13a). The full 3D/4D flux joins its orbits and migrates to a radius with double the proton relativistic radius. As we will see later if the radius doubles, then the internal charge doubles too, thus half of the 3D/4D flux gets released and the same happens to the associated dense charge mass. The resulting error in mass is -92 eV .

Tab. 13a ${ }^{4} \mathrm{He}$ from deuterium
Because the 3D/4D flux in 4 He does 4 fully symmetric rotations we see one more perturbative (Tab 13a $\mathrm{g}+\mathrm{h}$ ) excess mass that couples with the 1FC paired orbit that we already know from the deuterium mass calculation above. If we assume that in ${ }^{4} \mathrm{He}$ the 1FC orbit is attractive as all mass is doing 4 rotations, then the final result ( Tab 13a i) is exact. But there are many ways, we could think of how these -92 eV are generated. Tab. 13b shows some likely ones.

| a) 4-He missing mass | -92.341 |
| :--- | ---: |
| b) Bohr potential | 13.598 |
| c) Delta pot 3D/4D proton | 79.101 |
| f) unexplained $=\mathrm{a}+\mathrm{c}$ | -13.240 |
| delta $=\mathrm{f}+\mathrm{b}$ | 0.358 |
|  |  |
| h) ${ }^{4}$ Helonization 24.5874+54.4178 | 79.005 |
| l) unexplained $=\mathrm{a}+\mathrm{h}$ | -13.335 |
| delta $=\mathrm{l}+\mathrm{b}$ | 0.263 |

From the alpha particle mass we know that the ionization energies get added to the nuclear mass. Or the other hand the alpha particle is heavier than the measured ${ }^{4} \mathrm{He}$ mass minus the mass of two electrons. About the same value $(79 \mathrm{eV})$ is calculated from the change from a 3D de Broglie potential to a 4D potential. Because 2 Deuterium join also one Bohr potential gets lost. This could also be just a coincidence!

Tab. 13b alternative explanation for missing 92 eV fraction

### 7.2.2 Conclusion

The picture for the Neutron, Deuterium and 4-He masses is very clear and consistent. We also may note that the orbit model is extremely exact whereas the averaging n-p pair model is already very good. For asymmetric nuclei like ${ }^{3} \mathrm{He},{ }^{3} \mathrm{H}$, the averaging model delivers reliable results as we know the changing weight of the neutron-proton interaction. The averaging model (using $n+p+e$ ) may also be used for magnetic moment calculations as it usually delivers a result that is better than $99 \%$ exact. Given that most charge radius are only known by 3.5 to 4.5 digits it is anyway a challenge to do better.

Because we want show the NPP theory relation to LENR we give only one more sample for the magnetic moment calculation of Deuterium.

### 7.3 The magnetic moment of Deuterium

| DD bond | 2'224'572.773 |
| :---: | :---: |
| a) $2^{*}$ proton 3D pot ( $\mathrm{mp}^{*} 2 \mathrm{FC}{ }^{\prime}$ ) | 2'179'436.654 |
| b) $2^{*} 4 \mathrm{D}$ potential (second radius) | $40 ' 499.503$ |
| c) $4^{*}$ electron perturbative mass | 4'732.415 |
| Delta before repulsion | -95.798 |
| d) $2^{*} \mathrm{~b}^{*}\left(2 \mathrm{FC}{ }^{\prime}\right)$ | 94.073 |
| e) $2^{*}{ }^{*}$ ( 1 FC') | 1.748 |
| delta mass | 0.023 |
| f) $=\mathrm{a}+0.5^{*}(\mathrm{~b}+\mathrm{c})+2^{*}(\mathrm{~d}+\mathrm{e})$ | 2'202'244.209 |
| g) moment mass $=\mathrm{f} / 6$ | 367'040.702 |
| h) $=\mathrm{g} / \mathrm{a}$ | 0.1684108143 |
| deuterium radius | 1.07075 |
| Magnetic moment from weight ( h ) | 0.4330710533 |
| measured magnetic moment | 0.4330735035 |

In SO(4) physics the magnetic moment can be calculated from the charge radius that either is 2D,4D,5D (number of rotations). In Deuterium the charge does 5 rotations. The perturbative mass couples $3 \times 2$ which gives 6 waves equivalent for producing a magnetic moment. But 5 out of 6 waves are a perfect cover of $S^{5}$ and thus are magnetic neutral. The base weight factor for the magnetic moment is $1 / 6$ of the total mass.

Tab 14 Deuterium magnetic moment
In $\mathrm{SO}(4)$ the modeling can be simplified as the removed mass is linear dependent with the remaining mass and can be treated as an energy hole. As long as we add hole masses and do fractions this gives the same result as using the full masses and the corrections. The base (Tab. 14) weight is a) couples $1 / 2$ with $b, c$ ). d,e) only depend on b but add to $a$ ).
The magnetic moment from weight is calculated by formula (9) - proton - and multiplied with the weight given in Tab.14/h). It is not yet totally clear why we need this weight ( $\mathrm{d}+\mathrm{e}$ ) twice. But we change the frame of reference which is a change by two coupling radius, which is according to group measure a factor of 2. Charge bound mass usually has half the weight, whereas perturbative charge bound mass normally doubles the weight. The Deuterium charge radius is only known with about 4.5 digits and thus if we neglect (Tab 14 lines $\mathrm{d}, \mathrm{e}$ ) the calculated moment is still fine with the given radius precision.

## 8 Proton - electron mass relation

| top down 4D proton radius | 0.837653007404 |
| :---: | :---: |
|  | eV |
| (8/9) magnetic mass of proton | 823'647'184.997 |
| reduced charge mass e/4п | 40'664.004 |
| metric change 1D | 1.4142135624 |
| 4D charge mass to subtract | 57'507.586 |
| weight of Mpr - charge | 823'589'677.410 |
|  |  |
| electron mass | 510'998.946 |
| electron perturbative mass | 1'183.104 |
| charge expansion 2-3D (+2Mep) | 513'365.154 |
| going from 2--> 3 rotations $\mathrm{a}^{-3 / 2}$ | 1'604.176 |
| Relativistic Mass electron 3D | 823'528'042.048 |
| metric factor for 2-->3(5) rotations $2^{3 / 5}$ | 1.5157165665 |
| electron charge added for 3th dim | 61'635.105 |
| Rel. Mass electron 3D + charge | 823'589'677.152 |
| delta projected mass | 0.258 |

Tab.15a) p/e Torus mass projection

| top down proton radius | 0.8376530074046 |
| :--- | ---: |
|  | $823^{\prime} 6477^{\prime} 184.99473$ |
| charge flux expansion $\left(2^{3 / 5}+2^{1 / 2}\right)^{*} \mathrm{~m}_{\mathrm{e}} / 4 \pi$ | $119^{\prime} 142.69075$ |
| a) $8 / 9$ proton mg . mass + reduced charge | $823^{\prime} 528^{\prime} 042.30398$ |
| b) reducing : a ${ }^{*}$ alpha ${ }^{3 / 2}$ | $513^{\prime} 365.15367$ |
| c) electron pert. Mass | $1^{\prime} 183.10370$ |
| calculated electron mass $=\mathrm{b}-2^{*} \mathrm{C}$ | $510^{\prime} 998.94626$ |
| electron measured | $510^{\prime} 998.94610$ |

15b) electron mass from proton mass

For the proton electron mass relation (Tab 15a) we use the proton relativistic mass that can be exactly calculated from the proton mass. The proton has the rigid mass form factor of $9 / 8$. Thus to get the mass equivalence we choose $8 / 9$ of the proton relativistic mass. This is equivalent to stopping one rotation that produces the 9/8 of mass. The charge-mass associated with this operation is stopping one rotation * group measure.

From the electron side we must use excess mass formulas. Thus we must start with the opposite as the dense electron mass. Then we must speed-up the electron from $1 \times 1$ rotation to $(1 \times 1) \times(1 \times 1)$ rotation and then from 2 Nj 3 rotations this factor of total 1.5 can be seen in the a exponent being $-3 / 2$. The associated charge mass for going from 2 Nj 3 rotations (out of 5 ) is given by the factor $2^{3 / 5}$.

The change in charge mass for $1-->2$ rotations did only affect the perturbative mass which is reflected with starting at $m_{e}+2^{\star} m_{\text {ep }}$. The factor $2^{3 / 5}=1.5157$.. has already been used to derive the proton relativistic radius from the neutron interaction radius. It is the weighted sum of 3 rotations (waves) running on a single side $\mathrm{SO}(4)$ manifold.

In table 15b) the electron mass derived from the proton mass is shown. The only simplification we used is the pre-calculated electron perturbative mass (c), that depends on the highly precise electron g-factor.

## 9 The proton inner force equation

In our model we also assume that the magnetic flux in $\mathrm{SO}(4)$ is bound to the surface of the projected 3D torus and the "virtual charge" stays on the torus center line. (Thus in 3D the magnetic flux is homogeneous inside the 3D torus.) This 4D model reflects the difference in dimensionality of charge/magnetic flux. Normally magnetic flux occupies one more space dimension than charge.
A classical pictures we can use: The torus surface that encloses the magnetic flux is the time horizon of the EM-flux/mass it cannot escape. Thus the frequency (in radians) that defines the amount of current or finally the mechanical centrifugal force on the mass is given by the radius $\mathbf{r}_{\mathrm{pr}}$ and the speed of light and the number of windings the magnetic mass takes.

$$
\begin{equation*}
m_{p r}=\mu_{\mathrm{p}}^{2 *} 4^{*} \pi^{*} 100000 /\left(a^{*} \pi^{*} \mathbf{r}_{\mathrm{pr}}^{3 *} \mathbf{e}\right)=926^{\prime} 603^{\prime} 083.294 \mathrm{eV} \tag{1}
\end{equation*}
$$

Because in dense space all magnetic field lines are contained inside the current loop (due to the complex 4D rotation) the Biot Savart force (integrated over the torus cross section) and the coulomb force are interchangeable. (Under full torus symmetry!)
The base frequency of the charge that finally defines the current is given in (2).
(2) $\quad \omega=c /\left(4^{*} 2^{1 / 2 *} \Pi^{*} r_{\text {pr }}\right)=0.2013871189$ E23

On a torus the combined trajectory that covers both radius has the length $r^{*} 2^{1 / 2}$. This simply is the group measure of $\mathrm{SO}(4)$ for one radius. This is the true frequency and not a projected one. 4 is counting front \& backside.

From this we can derive the projected mechanical (centrifugal -cf) force on the EM point mass that in SO(4) has a constant distance $\mathbf{r}_{\mathrm{pr}}$ to the "center" of rotation. (To remind you once more: In SO(4) the effective center of rotation/mass is the total surface on the single sided Clifford torus boundary!). But EM mass is mechanically connected by the induced charge that in this first approach stays at a distance of $\mathbf{r}_{\mathrm{pr}}$ from the Clifford Torus surface.

$$
\begin{equation*}
\mathrm{F}_{\mathrm{cf}}=\mathrm{m}_{\mathrm{pcgs}}{ }^{*} \mathrm{~m}_{\mathrm{pr} 4 \mathrm{D}}{ }^{*} \omega^{2} \mathbf{r}_{\mathrm{pr}}=280.6647723036 \mathrm{~N} \tag{3}
\end{equation*}
$$

$m_{p c g s}$ is the metric proton mass, where as $m_{p r 4 D}$ is the fraction of mass that is rotating in $4 D$
(4) $\quad m_{p r 4 D}:=\left(m_{p r}+m_{p p o}+m_{e i}\right) / m_{p}$

The following equations treats the charge as a point charge $=$ the integral over the total torus surface.
The electric force (5) 4D coulomb force over the same distance -using the torus norm - is given as following:

$$
\begin{equation*}
F_{e f 4 \mathrm{D}}=\mathrm{e}^{2} /\left(\varepsilon_{0} 4 \pi^{2} \mathbf{r}_{\mathrm{pr}}{ }^{2}\right)=418.6431608349 \mathrm{~N} \tag{5}
\end{equation*}
$$

If we make the simple quotient then we get:
(6)

$$
F_{e f 4 D} / F_{c f}=0.67041528098495
$$

This (6) is roughly $2 / 3$. Why? The distance between 2 current circles (virtual ring currents is not $r_{p r}$ ! Its $(3 / 2)^{1 / 2}$ as the true distance is given by 3 components (vectors). The center of the circles has a distance of $r$ in the projection only but not the average path of attraction in $\mathrm{SO}(4)$. This again is somewhat simplified as the true relativistic 4 D radius is $\mathrm{r}_{\mathrm{pr}} / 2^{1 / 2}$ given by the metric and all points stay on the Clifford Torus surface. And
thus the distance between to "parallel" circles is e.g. $\left(r_{z}{ }^{2}+r_{y}{ }^{2}+r_{u}{ }^{2}\right)^{1 / 2} / 2^{1 / 2}=(3 / 2)^{1 / 2} r_{p r}$ - all having the same length. (The charge does not stay on the Clifford torus surface where we can map 4 rotations without adding one more dimension!)
The final deviation of the simplified force model is. (Due to $r^{2}$ in eq (6)

$$
\begin{equation*}
F_{\mathrm{ef} 4 \mathrm{D}} / \mathrm{F}_{\mathrm{cf}}=(3 / 2)^{\star}\left(r_{\mathrm{pr}}^{*} \mathrm{~m}_{\mathrm{pr}}^{\prime} /\left(4^{\star} \mathrm{Pl}()^{*} 64^{\star} \mathrm{e}^{2}\right)\right)=1.0056229215 \tag{7}
\end{equation*}
$$

$$
\begin{equation*}
F_{\mathrm{cf}} / F_{\mathrm{ec} 4 \mathrm{D}}=0.99440851898129 \tag{8}
\end{equation*}
$$

Equation (7) is the reduced quotient that shows that "the electric" force increases with the radius, which is in agreement with the strong force behavior seen in experiments. This counter intuitive effect is due to the way the frequency is defined. The frequency decreases with $r^{2}$, which implies that the centrifugal force decrease with increasing r. From the 4D physical point of view the explanation is that charge $Q^{2}\left(e^{2}\right)$ produced is proportional to $r$ and also to the product of radius*mass, thus in reality the central charge force increases if we try to split the relativistic mass.

This, 0.9944 .., is a very good match for this simplified model that only respects the proton relativistic mass and the attached symmetric potential orbit. But in reality the center of mass coupling is the charge radius what we already corrected. What is very difficult to model is the connection of the 5,4,3,2 rotation masses. The only feasible approach that does not need a lot of modeling is looking at the orbit relations.

### 9.1 The perturbation of the orbit

The difference in rotations between the proton relativistic mass and perturbed mass is 1 rotation. This is also responsible for the unfolding of the proton potential. Thus the expected perturbation must be proportional to 2FC the potential folding factor for one dimension. Further we see two coupled torus which will lead to a product of 2FC with 1FC. (The coupling 3D/4D torus runs see Fig. 5 over both dimensions of the 4D torus, thus the coupling involves 2 times 1FC - the torus second radius force (derivation of 2FC)
In fact the expected perturbation of $2 F C\left(1+2^{*} 1 F C^{\prime}\right)$ does give the exact deviation for one dimension.
The second last line of Tab. 2 below gives the value for all 5 dimension. It is just sum as only one radial dimension is involved (no $r^{2}, r^{3}$ coupling).

| $\mathrm{R}_{\mathrm{rp}}$ relativistic proton radius | 0.837653007352 |
| :---: | :---: |
| 1) relativistic proton mass at $R_{r p}$ | 926'603'083.294 |
| 2) 4D potential (1D) at $R_{r p}$ | 272409.80657182 |
| 3) coulomb potential | -27.2113860282 |
| $\mathrm{mf}=$ orbiting mass factor $(1+2+3) / \mathrm{m}_{\mathrm{p}}$ | 0.98785361342663 |
| orbiting frequency $\mathrm{c} /\left(4^{*} 2^{1 / 2 *} \mathrm{pi*} \mathrm{R}_{\mathrm{rp}}\right)=\mathrm{w}$ | 0.20138711900196 |
| 4)mechanical force $m_{p} w^{2} R_{r p} m f$ | 280.6647723036 |
| 5) torodial Coulomb force $\mathrm{e}^{2} /\left(\varepsilon_{04} \mathrm{pi}^{2} \mathrm{R}_{\mathrm{rp}}{ }^{2}\right)$ | 418.6431608349 |
| Ratio (4)/(5) | 0.67041528098495 |
| Correction for charge radius in (5) | 1.00562292147742 |
| Factor 1/x | 0.99440851898129 |
| 1-5(1-2FC(1+2*1FC')) | 0.99440852029356 |
| matching | 1.00000000131964 | Once more. 1FC' is the correction for the second radius torus force. Usually if we find a general solution that is conforms with the $\mathrm{SO}(4)$ modeling the chosen approach is safe.

In chpt. 8 we did show the all digits exact mass equivalence formula for the protonelectron particles. This formula was already based on the assumption that charge is running on 5 rotations.

Tab 16. Proton inner force summary
The reduced formula (7) above shows that the force quotient is proportional to mass. Mass is always the sum of all rotating masses = Eigenvalues of all 5 dimensions. Thus the found perturbation of the proton inner force equation works symmetrically over the full $\mathrm{SO}(4)$ space.

An other approach to fix the quotient (7) would be the calculation of the coupling mass that lowers the coefficient "mf" Tab.16. The mass release in the reaction $\mathrm{D}+\mathrm{H} \mathrm{Nj}{ }^{3} \mathrm{He}$ reaction is 5 ' $493{ }^{\prime} 486 \mathrm{eV}$ which is pretty close (final $q=0.9996 .$. ) to the mass needed to do such a correction to get a quotient of 1 . A third approach would be to calculate the force induced by the proton perturbative mass.

## 10 Gravitation

For decades people have accepted and were taught that electrons do orbit nuclei and may acquire relativistic speed, which contradicts the fact that most electron mass already is at light speed. This old reasoning was based on the undisputed fact, that in a conservative 3D,t field the potential energy and the kinetic energy must match. For example an electron joining 4-He would then be heavier - acquiring more


Table 17 Helium mass and orbits
Table 17 shows the mass of the alpha particle compared to the 4-He mass, minus 2 times the electron mass. Then if the potential energy of the two electrons is subtracted, it leaves 4.884 eV that cannot be explained by relativistic mass gain and is not measured or seen to be dissipated! This extra mass can only be explained by the 4D spin pairing that defines the elevated first ionization energy, something that does not follow classic potential rules. But again how is this mass dissipated in the bound case? The answer?... it is not dissipated!

All NPP2.0 reasoning, so far, is based on the fact, that only the field generated by the electron/proton charge pair contains gravitational mass. To get the last digits we must always subtract the lost potentials. The disappearing of 4.884 eV can only be explained by the fact the (free) electrons do not gravitate. As you may know the two electrons of 4-He undergo spin-pairing. This mass of the spin-paring is not given by the classic potential, but it is reflected in the measured helion (=alpha particle) mass too. If we calculate the second radius potential-dependent mass (given by 1FC) of the spin-pairing field mass, we get the same amount (about 11 eV ) for the spin-pairing energy as calculated from the measured ionization energies. The rigid mass of a torus is defined as $\left(r^{2} \mathrm{~m} / 8\right)^{*}(4+5)$ assuming equal radii. From this it is easy to see that $4 / 9$ ( 4.884 eV ) of the total spin-pairing energy gets attached to the electron perturbative mass (follows electron 4D torus projection) and in fact do vanish because the electron perturbative mass does not gravitate! According to the models above only $1 / 2$ of the electron perturbative mass does indirectly gravitate as it is bound to the magnetic mass.

This was a first indication that a part of the electron flux is mediating gravitation. If this part stays in between two masses then it is quasi a force free point. Unluckily NIST recently did believe that SM can somehow explain this 4.884 eV difference and used fudging formulas derived from the ${ }^{36} \mathrm{Ar}$ mass as a correction...

How should this force be structured based on the known constants of $\mathrm{SO}(4)$ ?

- We expect gravity to be an EM force based on full 5 rotations of $\mathrm{SO}(4)$
- We expect a potential is mediating the force Nj 2 rotations (2D).
- We expect the force to work outside dense mass just upfront at the Bohr level of the electron.
- Remember that in NPP2.0 all dense matter forces are rxr (magnetic) forces!

How will we proceed: We will calculate the gravitational potential energy of 2 neighbor (touching) protons. As gravitation works in open space we have to identify which mass exerts the same magnetic force on two protons as gravity does. As magnetic potential energy decays with $1 / r^{2}$ we have to use $r x$ potential for the scaling.

The base assumption is that the weak spin force $=$ second radius torus potential $=1 \mathrm{FC}$ (1FC' effective pot.) is responsible for gravity. Line (a) of Tab. 18 gives the 5D - rotations 1FC' potential. Line (b) projects (2D) the potential from the magnetic proton radius to the Bohr radius. Line (c) is the product of (a) ${ }^{*}(\mathrm{~b})$. Line (d) boosts the potential by the radial potential unfolding factor (2FC) for $r x$. This is the change of reference frame for two rotations.

| proton mass : Mp | 1.6726218982 | e-27 |
| :---: | :---: | :---: |
| electron g-factor eg: | 1.00115965218091 |  |
| Bohr radius (Rb) | 52.917721052700 | e-12 |
| 4D relativistic radius of proton (Rp) | 0.837653007340 | e-15 |
| measured gravity G | 6.674080000000 | e-11 |
| a) $1 \mathrm{FC}^{15}$ | 4.682249193937 | e-24 |
| Rp/Rb | 1.582934772466 | e-5 |
| b) $(\mathrm{Rp} / \mathrm{Rb})^{2}$ | 2.505682493883 | e-10 |
| c) scale factor of force $=(\mathrm{a})^{*}(\mathrm{~b})$ | 1.173222983725 | e-33 |
| d) $1 / 2 \mathrm{FC}^{2}$ | 1.002326872358 |  |
| e) 2D potential correction for (Rp/Rb) ${ }^{2}$ : (c)/(d) | 1.175952923855 | e-33 |
| Gravitation potential $\mathrm{Mp}^{2 *} \mathrm{G} / \mathrm{Rp}^{*}$ e |  |  |
| f) Rest potential of gravity at Rp in eV | 1'391.273210064050 | e-33 e |
| coupling mass (f)/(e) | 1'183.102811210050 | eV |
| electron perturb mass : me ${ }^{*}\left(1-1 / \mathrm{eg}^{2}\right)$ | 1'183.103703862580 | eV |
| ratio | 0.999999245499 |  |
| reverse gravity | 6.674085035884 |  |
| relative error | 0.000000754543 |  |

Line (e) shows the gravitational potential of two aligned protons = distance is magnetic radius. As you might notice the dimensions of (e)/(f) do match. If we now divide the rest potential (f) by the scale factor(e) we should get the energy of the "particle"/mass that produces the same potential energy. The result is, as suspected, very close to the electron perturbative mass.

Table 18 gravitation from week spin force (1FC)
The match with the electron perturbative mass is excellent. There is a small error remaining which can be explained by already known perturbations. But do not believe that this is the final word in deriving gravity from $\mathrm{SO}(4)$ spin forces. There are many reasons to believe that there could be other sources for the last small error like an average radius to project the force, or an average "electron perturbative mass" found in all different Isotopes. Especially this points to the assumption that gravity could really be a varying (after $7^{\text {th }}$ digit) force, depending on the structure of big objects.

The first proof of a varying gravity would be comparing experiments run during day and night time. During day time the sun with a high Hydrogen content and only a small part of low $z$ should produce a different gravity than experiments during night time, where the earth is partially shielding the sun.
Reverse gravitation from basic SO(4) constants:
$\mathrm{G}=\mathrm{m}_{\mathrm{e}} \mathrm{c}^{2 *}\left(1-1 / \mathrm{e}_{\mathrm{g}}{ }^{2}\right)\left(\mathrm{r}_{\mathrm{p} 4 \mathrm{D}}{ }^{3} / \mathrm{a}_{0}{ }^{2}\right)^{*} 1 \mathrm{FC}^{\prime} /\left(2 \mathrm{FC}^{*} \mathrm{~m}_{\mathrm{p}}\right)^{2}=6.6740850357 \mathrm{e}-11-\mathrm{m}^{3} / \mathrm{kgs}^{2}$

Comment: We did use gravitation between 2 protons for symmetry reasons. If you just look at Hydrogen, then the force/potential energy for one proton would be equivalent to halve of $\boldsymbol{m}_{\mathrm{ep}}$. This is the same picture we see in the magnetic Bohr model. But this picture would not explain that $\mathbf{m}_{\mathrm{ep}}$ does not gravitate because it is mediating gravitation. The correct picture is that half of $\mathbf{m}_{\mathrm{ep}}$ does not gravitate when it is bound in a spin pairing 1FC orbit because the coupling other half is bound to the gravitating core mass/field.
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# SO(4) physics and LENR 

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#### Abstract

This is the LENR related part of the NPP2.0 poster. The here mentioned experiments have been prepared by Russ George at the Ecalox lab in Essex (UK). Most of the measurements have been done by the author. The environment was not ideal as it had a relatively noisy background with a short-time fluctuation of $+-10 \%$. Heavy lead shielding of the equipment could reduce the background by a factor of 2.2 on average. Calibration adjustments in the range of interest $20 . . .600 \mathrm{keV}$ were done on a regular basis with 3 different strong lines (Cs,Am). The line matching was done within a range of +-300 eV .

The LENR reaction we show here did elevate the gamma radiation level by $100 \%$ and in selective areas individual lines by a factor of 10 to 20 . The fuel mass was in the range of $3-6$ grams at most and the volume not larger than 1 ccm . The produced energy of such a small pellet was in the range of $10-20$ watts and some times even more. The goal was not to get a high COP. The main interest was watt/g.

Two points are interesting: Active LENR reactions suppress (consume) background radiation, thus comparing a spectrum with a background is just giving the worst case scenario. Dense hydrogen is coupling with gamma radiation what leads to peak shifts. This can only be seen when we sit in front of the spectrometer and suddenly the background drifts by $2,4,6 \mathrm{keV}$ or some center line is shifting the neighbor lines. Such effects are not lasting very long and deliver the daily thrill what helps to survive the long "down times" during measurement.

We here only show the theoretically interesting part of the results as the details of the spectra are still proprietary. Fact: Most of the measured excess to background gamma lines are so called magnetic lines, produced by states that express a magnetic moment.


## 11 Experimental findings

This part of the poster deals with the relation of $\mathrm{SO}(4)$ physics to experiments. The focus will be on orbiting mass that attaches to nuclear flux and finally causes fusion. We will see that the electro weak force equivalent constant 1FC plays a key role in LENR. 1FC orbits are (1x1) that can directly attach to the nuclear core flux that is $2 \times 2$ or effectively $((1 \times 1) x(1 \times 1))$. Please remember that the " $x$ " is $1 \times 1$ stays for magnetic or vector product coupling.
In the theoretical part we did show that 1FC is also the spin-pairing force we see in the ${ }^{4} \mathrm{He}$ orbit. One thing we did not say and we can derive from the proton inner force equation is the fact that the electron has no fixed relativistic radius. Thus any rotating flux can couple to any neighbor rotating flux. Classically we see this coupling as continuous Coulomb potential, but remember that this potential is generated by two coupled rotating magnetic masses.

The key problem in LENR is to get rid of the excess (3D/4D) flux that is ( $1 \times 1 \times 1$ ) coupling to $((1 \times 1) x(1 \times 1))$. There is a mismatch in rotation number between 1FC,2FC \& 3FC orbits that prevents matter from spontaneously fusing.

### 11.1 Proton magnetic moment quantization

After finding the $S O(4)$ conforming proton quantization, we tried to find and finally support experiments that could answer how magnetism affects LENR. In the following table 1 we give the first 32 -unperturbed quantization energy steps of the proton magnetic moment based mass.

| 1 | $2^{\prime} 002.337$ | 9 | $19^{\prime} 146.941$ | 17 | $38^{\prime} 576.618$ | 25 | $60^{\prime} 780.825$ |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| 2 | $4^{\prime} 034.328$ | 10 | $21^{\prime} 441.834$ | 18 | $41^{\prime} 188.941$ | 26 | $63^{\prime} 781.300$ |
| 3 | $6^{\prime} 096.637$ | 11 | $23^{\prime} 773.139$ | 19 | $43^{\prime} 845.523$ | 27 | $66^{\prime} 836.307$ |
| 4 | $8^{\prime} 189.947$ | 12 | $26^{\prime} 141.732$ | 20 | $46^{\prime} 547.499$ | 28 | $69^{\prime} 947.345$ |
| 5 | $10^{\prime} 314.963$ | 13 | $28^{\prime} 548.514$ | 21 | $49^{\prime} 296.042$ | 29 | $73^{\prime} 115.971$ |
| 6 | $12^{\prime} 472.410$ | 14 | $30^{\prime} 994.416$ | 22 | $52^{\prime} 092.367$ | 30 | $76^{\prime} 343.798$ |
| 7 | $14^{\prime} 663.038$ | 15 | $33^{\prime} 480.400$ | 23 | $54^{\prime} 937.731$ | 31 | $79^{\prime} 632.500$ |
| 8 | $16^{\prime} 887.616$ | 16 | $36^{\prime} 007.458$ | 24 | $577^{\prime} 833.434$ | 32 | $82^{\prime} 983.818$ |

Table 1 Proton 4D $\boldsymbol{a}$ - quantization: $\left(1-\left(\boldsymbol{a} /\left(\pi^{*} 16\right)\right)\right)^{2}$

Proton magnetic base mass: $\mathrm{M}_{\text {proton }}(\mathrm{eV})=\mu_{\mathrm{p}}{ }^{2 \star} 4^{*} 100000 /\left(a^{*} r_{\mathrm{p} 4 \mathrm{D}}{ }^{3 *} \mathrm{e}\right)=926$ '603'083.3eV
Proton magnetic perturbation " $p$-1Dimension" $=0.9959335244$; For full moment : $(p-1 D)^{3}=0.9878501147$
Rest-mass of perturbative proton potential: 272409.8 eV . Quantization with $((1 / a)-n): n=1,2,3,4, \ldots$.

Currently three experiments show a proton resonance at 1keV Iglev[1] \& Lipinski [2] Schenkel \& [5] reported the highest proton resonance at 1000 eV . Lipinski(s) did find/confirm this in several independent experiments. The above tabulated values are 4D equivalent energies that are valid for emitted radiation energy. In a kinetic experiment with non relativistic protons only half of the $S O(4)=S U(2) \times S U(2)$ responds to a proton event, because in $\mathrm{SO}(4)$ physics the "kinetic mass" is flowing inside and outside of the center of mass surface. Thus the 1000 eV perfectly matches the first proton quantization step.
The proton magnetic moment quantization still is a hypothesis with strong support but less than conclusive experimental details are known. E.g. we assume that only integer quantum steps for "n" do occur. Why is $1 / 2$ not possible or even steps of $1 / 3$ if there is a coupling with the 3D/4D flux?. Does the $2: 3$ orbit coupling modulate the peeks/coupling strength? The $2: 4$ rotation coupling should be weak because of the large difference in mass.

## 11.2

In June 2018 there was a big surprise ! We, the first time, had access to a along running LENR experiment that allowed to measure gamma radiation over weeks. At first sight we had no explanation for the seen lines, that were nowhere
 conforming with known lines. Then I detected that the central peak closely corresponded to the predicted neutron 4D energy hole wave resonance. After that we started to count the peaks between $20 \& 80 \mathrm{keV}$ and found that they exactly correspond to the expected number of lines due to proton quantization. We thus in Fig. 1 very likely see a modulation of a Neutron wave energy centered spectrum by the proton momentum quantization.
Fig. 1 Spectrum from a running LENR experiment measured by Russ George (Atom-Ecology)
The above spectrum has been collected by a very long run of more than 3 hours. The total energy of the measured gamma-lines is far less than $10^{-6}$ of the total LENR energy produced. Thus gamma radiation only delivers a tiny signature of the involved magnetic moments. Such signatures can be obtained by carefully done backgrounds that can be subtracted from the active reaction spectra.

## 12 Spin or 1FC orbit pairing

If two electrons on the same orbit couple then they join one of their ( $1 \times 1$ ) waves that forms the (3D,t) relativistic mass $\mathbf{m}_{\text {er }}$. The product of $1 \mathrm{FC}{ }^{1 *} \mathrm{~m}_{\mathrm{er}}$ delivers exact 11 eV . (Seen in ${ }^{4} \mathrm{He}$ are 10.99).

From a 3D,t perspective spins must be parallel to be attractive. Thus one key functionality of a LENR catalyst must be supporting singlet Hydrogen with parallel spins. It looks like on catalyst surfaces such small ensembles of H/D can form out large regions of spin paired orbits.


Fig. 2a Electron flux torus


Fig2b Joined flux torus.


In $\mathrm{SO}(4)$ physics all waves have at least a (1x1) orbit structure - also photons. Thus if (magnetic) flux joins two rotation dimension are involve and the classic flux node (Fig. 2a green dot) in reality is a torus intersection circle like area. At the node surface (circle frame) flux changes from outside to inside due to momentum conservation.
In a circular configuration also called $\mathrm{H} 7, \mathrm{H} 19, \mathrm{H} 37$ these 1FC orbits can span the whole circumference. This Fig. 3 red orbit is a super conduction orbit and it is assumed that such a H7,H19 forms a stable molecular rotator. The flux released is proportional to the number of electrons and also defines the frequency of the rotating mass.
Fig. 3 Larger 1FC SC spin orbits

There is good reason to believe that such long range coupled 1FC orbits in general are able to explain super conduction. The current research of Rydberg matter - dense hydrogen still is based on good heuristic approximation for orbitals and what people believe to be spin.
What experiments must show is whether the 1FC orbits also do allow a quantization and whether it is possible, when more flux is running in parallel, e.g. in the from of two stacked rotators, that the free electrons (Rydberg electrons) do form two spin connections.
Because 1FC spin pairing delivers 11 eV for two electrons, this effect allows (in catalysts) to split $\mathrm{H}_{2}$ bonds and also allows other electrons to migrate to higher (Rydberg) orbits.
This simple 1FC paired mass or electron spin caused Rydberg matter is important for the final phonon coupling step, of LENR. An aggregate of about 100 1FC paired electrons is able to resonantly accept the 1 keV ( $\mathrm{D}^{*}$ case) that a proton magnetic moment is able to dispose of.

### 12.1 Dense Hydrogen

Dense Hydrogen is the ultimate 1FC spin paired mass that is based on a pairing of $2 \mathbf{m}_{\mathrm{pp}}$. If an external resonance mass exists that is able to accept about 500 eV the two proton can join their 3D/4D excess flux on a nuclear 1FC orbit.

| $\mathrm{m}_{\mathrm{pp}}$ | $11^{\prime} 668^{\prime} 998.0057$ |
| :--- | ---: |
| a) 1FC' spin pairing of 2* $\mathrm{m}_{\mathrm{pp}}$ | 503.6797 |
| 2D coupling with potential |  |
| Weight $\left(1 \mathrm{FC}^{\prime}+\left(2 \mathrm{FC}^{\prime *} 1 \mathrm{FC}^{\prime *} 2\right)\right)$ | 504.8497 |
| Bohr potential | 27.2114 |
| 2/3 wave freed potential $=1 / 3$ | 9.0705 |
| Net energy gain $\mathrm{H}^{*}-\mathrm{H}^{*}$ | 495.7792 |

The spin pairing delivers uncorrected 503.7 eV . This must be slightly corrected by the neighbor orbit forces. See Tab2. $2^{*} 2 F C^{\prime *} 1 F C^{\prime}$ is the same perturbation we did see in the proton inner force equation. Because the potential bound 3D/4D flux couples now only with $2 / 3$ the external visible potential is reduced by $1 / 3$.

Tab. $2 \mathrm{H}^{*}-\mathrm{H}^{*}$ dense hydrogen

The value of 495.8 eV matches very closely with the value Mills measured for his "Hydrino" condensate. The values that are posted in countless Holmlid papers are less reliable because such spin-paired $\mathrm{H}^{\star}-\mathrm{H}^{\star}$ on surfaces do couple and form clusters of 3,4 and more atoms where some also can be in a normal Rydberg state.

From the Deuterium orbit model it is clear that D*-D*can do up to 4 1FC orbit connections. In Tab. 3 we use

| $4^{*}$ s-s energy | $2^{\prime} 019.3987$ |
| :--- | ---: |
| 2* $^{*}$ potential | 18.1409 |
| Sub 2* potential lost $(9 \mathrm{eV})$ | $2^{\prime} 001.2578$ | the same values as in Tab 2. If we look at the final energy balance then we may see the connection to the first electron magnetic moment relaxation energy. This is no coincidence as the potential factor is similar to 1 FC .

Tab 3 D*-D* dense Hydrogen.
If Deuterium does only two connections we get again the famous 1 keV proton resonance figure. Now we already understand two steps of the LENR reaction path.

1) 1FC orbital electron spin-paired mass couples to phonons (e.g H doppler frequency or e magnetic mass)
2) 1 FC $3 D / 4 \mathrm{D}$ flux paired mass couples to 1 )
3) Missing step

## 13 The decay of $D^{*}$-D*

If D*-D* aka dense Hydrogen wants to condense to ${ }^{4} \mathrm{He}$ then it must get rid of the entire 3D/4D flux of 2 protons. Details see modeling part Tab. 13a). 3D/4D flux does 3 rotations that can be modeled as 3 waves. The resulting $D^{\star}-D^{*}$ pre fusion cluster is a highly asymmetric EM mass that has the following coupling based on the perturbative mass waves ( $2 \times 2$ ) $\times 2$. ( $2 \times 2$ ) is given by 4 (out of 6 proton perturbative mass waves now running on symmetric (inside/outside!) orbits. Such a structure with a large difference in dimensionality leads to a strong temporary increase of internal charge needed to compensate the eccentricity induced force, which in turn generates a strong oscillating B-field. In SO(4) physics charge is produce by a topological difference (e.g. different rotation number) between rotating mass and dimensions. Principally the average change of magnetic flux that is responsible for the induction of charge is constant but only in a projection to the classic space. In 5 rotation space the "missing" flux flows through all 5 dimensions which is a dynamic process as the first derivative (of magnetic flux) for each dimensions is finally given by a harmonic function (sin,cos). In the 4:2 asymmetric case (coupling mass) the flux change is one magnitude larger than in the proton case $5: 4$. ( $2 \times 2$ ) of ( $2 \times 2$ ): 2 is given by 4 (out of the 6 ) coupling proton perturbative mass waves that are running on symmetric orbits and do not produce external charge. In the model we also can see the the 2 excess waves finally are disposed.

We assume that the lower bound for this $D^{*}-D^{*}$ oscillation is the relativistic proton radius $\left(\mathbf{r}_{\mathrm{pr}}\right)$ where the higher bound is given by the measured (Holmlid[7]: Extrapolated with Coulomb law) dense deuterium radius (2.15pm).

The (2x2) subset of the 3D/4D mass wave can directly attach to $2 x 2$ relativistic core mass wave structure. As said above the 3FC force factor tries to compress the remaining flux further, but as long as the energy cannot be removed the major part of the flux has to use the 2 FC mass radius (so called 3D/4D mass radius no given by 1FC).
The maximal strength of the temporary nuclear field produced by $23^{\prime} 846$ ' 533 eV D-D fusion excess mass can be roughly estimated by the energy density formula of a magnetic field. This works because we know that the mass of any particle is mostly EM mass (-flux), that is equivalent to compressed magnetic field lines.
The B field equivalence for a proton mass of $938^{\prime} 272^{\prime} 081.3 \mathrm{eV}$ inside a torus volume is 3.609 E 14 T . Broken down to $23^{\prime} 846$ ' 533 eV , that will be disposed by one D-D fusion event, it is 0.917 E 13 T . Realistically maximally $1 / 3$ of this field is really generated as the asymmetry of the $2 \times 2 D(x 2)$ oscillating mass is $2: 1$. At

| $w_{p} \mathrm{E}-\mathrm{density}:=8 \mathrm{~m}_{\mathrm{p}} \mathrm{c}^{2} /\left(2 \mathrm{~m}^{2} r_{\mathrm{pr}}{ }^{3}\right)$ | $10.365899023 \mathrm{e} 34 \mathrm{~W} / \mathrm{m}^{3}$ | the beginning of the fusion the field starts at half of the |
| :--- | :--- | :--- |
| $\mathrm{H}=\left(\mathrm{w}_{\mathrm{p}} / \mu_{0}\right)^{1 / 2}$ | 2.8720933739 e 20 | fusion radius that typically is in the region of 2 pm. This |
| $\mathrm{B}=$ | 3.6091789763 e 14 T | are lowest case assumptions. |

Tab 4. Proton energy density/B-field equivalence

### 13.1 What experiments show

All our experiments with magnetic elements do show gamma radiation with coupling magnetic gamma states of neighbor nuclei. This leads directly to the conclusion that one path for disposing LENR energy is coupling to neighbor nuclei magnetic gamma states. There are two kinds of coupling. See Tab. 5 that

| element | mass number | line $(\mathrm{eV})$ | count | backg. count | ratio to bg. |
| :--- | :--- | :--- | :--- | :--- | ---: |
| Pd | 105 | 38720 | 22 | 1 | 22.0 |
| Sm | 151 | 25710 | 14 | 0 | 14.0 |
| Sm | 151 | 35130 | 15 | 1 | 15.0 |
| Sm | 151 | 39010 | 44 | 6 | 7.3 |
| Sm | 151 | 61010 | 31 | 14 | 2.2 |
| Sm | 152 | 275410 | 15 | 2 | 7.5 |
| Ag | 109 | 44770 | 15 | 4 | 3.8 | shows a small selection of active isotopes we measured in one spectrum of 10 minutes duration. The total counts of this spectrum were 90\% above background (assuming 10\% fluctuation). About 20\% of the additional line counts were known magnetic lines with > 100\% above background.

Tab 5 some*** of the most active magnetic states

There are "catalytic" nuclei like Pd, Ag, ${ }^{152}$ Sm that couple with $D^{*}-D^{*}$ and partial fusion products of e.g ${ }^{147} \mathrm{Sm}+\mathrm{D}^{\star}-\mathrm{D}^{\star}$ that seem to act like ${ }^{151} \mathrm{Sm}$. In fact the intermediate ${ }^{149} \mathrm{Sm}+\mathrm{D}^{*}$ should stop at ${ }^{151} \mathrm{Eu}$. We also identified many $A+D^{*}$ reaction paths that confirm that $D^{*}$ gets added like $p-p$ and the first produced $z$ is $z+2$. Usually all these intermediate states do Beta+ decay.
***Some not shown data is confidential

### 13.2 The $D^{*}-D^{* 61} \mathrm{Ni}$-Pd environment (Mizuno)

External EM coupling forces decreases according the expected magnetic coupling. Classically the magnetic force decays by $1 / r^{3}$ and the electric -cyclotron - coupling force by $1 / r$ (radial velocity). But in the nuclear case the field lines do not have a 3D space symmetry and in fact the magnetic flux is more or less uni-directional (up to the fusion radius) and locally (at poles) looks similar to an electric potential as the flux at a pole expands slowly by less than $r^{2} r$ being the distance. The same knowledge can be gained from the proton inner force equation that explains the charge mass equivalence (see chpt. 9 (7) theory part). This
 explains if mass is 4 D oscillating $=$ expands its radius, then charge produced increases according to the weight of the $\mathrm{q}_{\text {new }}^{2}=$ ! $r_{\text {new }}{ }^{*} m$ (=! for proportional) thus the charge weight is proportional to $r^{2}{ }_{\text {new }}$ thus the field at $2 p m$ is still given by the above maximum. Any neighboring nucleus will undergo a toroidal polarization of its electron cloud, which leads to an indirect transport of a strong B field

Fig. 4 toroidal coupling flux oscillation

### 13.2.1 $\quad D^{*}$-D* Ni coupling

We assume that $D^{*}-D^{*}$ is symmetrically coupling and the unsettled flux is oscillating in 4:2 dimensions. Nickel is a very special element with an electron shell that allows a pairing ( hybridization) for all 10 outer electrons on a common orbit. This hybridization radius is smaller (=39pm) than the Hydrogen radius. This could be one reason why nickel easily attaches to $\mathrm{H}^{*}-\mathrm{H}^{*}$ or $\mathrm{D}^{*}-\mathrm{D}^{*}$. An coincidence is the sum of all 10 first potentials that is 1017 eV which is pretty close to the proton magnetic resonance energy of 1001 eV . This allows the conclusion that $\mathrm{Ni} 10^{+}$state is resonant with $\mathrm{H}^{*} / \mathrm{D}^{*}$.

| $61 \mathrm{Ni}(\mathrm{Z}=28 ; \mathrm{N}=33)$ |  |  |
| :--- | ---: | :--- |
| charge radius | 3.8225 fm |  |
| first gamma line | $677^{\prime} 418.00 \mathrm{eV}$ |  |
| base state magnetic moment | $-0.378818879-26 \mathrm{~J} / \mathrm{T}$ |  |
| gamma state magnetic moment | $0.2424376176-26 \mathrm{~J} / \mathrm{T}$ |  |
| state half live | 5.34 ns |  |
| covalent 1:1 bond radius | $124 \mathrm{+-4} \mathrm{pm}$ |  |
| covalent 1:10 radius $0.74^{*} \mathrm{r}_{\mathrm{B}}$ | 39.159113579 pm ! |  |
| a) 2 neutron E-hole waves | $313^{\prime} 485.95 \mathrm{eV}$ |  |
| one SO(4) wave weight a* $1 / 5$ | $62^{\prime} 697.19 \mathrm{eV}$ |  |
| b) change of 2 charges (perturbation) | $4^{\prime} 732.41 \mathrm{eV}$ |  |
| c) sum a + b | $67^{\prime} 429.61 \mathrm{eV}$ |  |
| E magnetic binding at Ni charge radius | $2 ' 058^{\prime} 038.00 \mathrm{eV}$ |  | The first magnetic gamma state of Nickel is 67.418 keV . The analysis of the ${ }^{61} \mathrm{Ni}$ mass shows that it owns 2 neutron hole waves. Also does the polarization of the moment change during the decay. This indicates that this state is charge coupled which is also the case with the neutron hole wave. Charge runs on 5 rotation orbits and $1 / 5$ of the hole wave mass and two dense charge coupling masses explain the line perfectly.

Tab. 6 some properties of ${ }^{61} \mathrm{Ni}$
There are some observations that $\mathrm{H}^{\star} / \mathrm{D}^{\star}$ can act like a halo nucleus, because the strong temporary field allows them to penetrate the "coulomb-barrier", that in fact is only the sum of the potentials released! The magnetic mass formula at the Nickel charge radius with the Deuterium (using 4 protons) and the state magnetic moment give a mass energy equivalence of about 2 MeV . This is far more than needed to load the magnetic state.

### 13.2.2 The D*-D* Pd coupling

| 105Gd $(Z=46 ; \mathrm{N}=59)$ |  |  |
| :--- | ---: | ---: |
| charge radius | 4.515 | fm |
| a) first gamma line | $280^{\prime} 410$ | eV |
| b) second gamma line | $38^{\prime} 720$ | eV |
| base state magnetic moment | -0.3242603135 | $-26 \mathrm{~J} / \mathrm{T}$ |
| first gamma state magnetic moment | -0.0373757994 | $-26 \mathrm{~J} / \mathrm{T}$ |
| second gamma state magnetic moment | 0.4545705329 | $-26 \mathrm{~J} / \mathrm{T}$ |
| first gamma half live | 67 | ps |
| second gamma half live | 39 | ps |
| covalent 1:1 bond radius | 139 | +-4 pm |
| c) 2 neutron E-hole waves | $313^{\prime} 485.95$ | eV |
| d) change of 5 charges (perturbation) | $5^{\prime} 915.52$ | eV |
| wave energy + D | $319^{\prime} 401.47$ | eV |
| e) sum a + b | $319^{\prime} 130.00$ | eV |
| E magnetic binding at Pd charge radius | $2^{\prime} 341^{\prime} 660.22$ | eV |

Tab. 6 some properties of ${ }^{105} \mathrm{Pd}$

Pd is known to be highly active in the LENR energy down-scaling path. See Tab. 5 where we could measure it with a signal : noise ratio of $20: 1$. In ${ }^{105} \mathrm{Pd}$ the second gamma state is coupling or visible not the first one. To load the second state the sum of the first \& second gamma state must be transferred being 319.13keV. This momentum also work much faster than the ${ }^{61} \mathrm{Ni}$ one most likely because 319.13 keV is a direct match with 2 neutron energy hole waves and no internal flux reordering must happen. The magnetic binding energy at the nuclear charge radius is slightly higher than in the ${ }^{61} \mathrm{Ni}$ case.

The exact resonance conditions are not yet known/understood but experiments show that the gamma state coupling is strongly temperature dependent. This allows one conclusion:

1) 1FC orbital electron spin-paired mass couples to phonons (0)
2) $1 F C$ 3D/4D flux paired mass $D^{\star} / H^{*}$ couples to 1 )
3) Missing step $=$ magnetic gamma state coupling Nj couples to 2)

Steps: 1:2:3 are coupled. The weight of the phonons increases with temperature whereas $\mathrm{H}^{*} / \mathrm{D}^{*}$ are only marginally affected by $T$ and of course gamma states "never". The experiments show that the optimal coupling weight can change more than $1 \mathrm{keV} /$ degree C . Such a high sensitivity explains that even careful reproduction of an experimental setup easily can fail if e.g. the sea of coupled phonons is to small or the temperature at the reaction zone has drifted by some degrees.


Fig. 5 The Ni-D*-PD system
Nickel, Palladium is an ideal combination as Pd is known to support the production of dense Hydrogen and Nickel is able to balance up to 10 charges which enables the forming of electron spin based Hydrogen (Rydberg matter). Both ${ }^{61} \mathrm{Ni}$ and ${ }^{105} \mathrm{Pd}$ have ideal, coupling down-scaling moments for the temperature range Mizuno uses.
The $\mathrm{D}^{\star}-\mathrm{D} * \mathrm{Nj}{ }^{4} \mathrm{He}$ energy down scaling with ${ }^{61} \mathrm{Ni}$ looks as following 23.6 MeV Nj 67.418keV Nj 1001 eV Nj $11 \mathrm{eV} \mathrm{Nj} 0.05 . .0 .07 \mathrm{eV}$. Ideally this is a resonant coupling where all the partners at the low end ( 1001 eV Nj $11 \mathrm{eV} \mathrm{Nj} 0.05 . .0 .07 \mathrm{eV}$ ) can also couple with multiple weights. The scale factors for each step are in the range of $100 . .300$.
The same path for ${ }^{105} \mathrm{Pd}$ is: $23.6 \mathrm{MeV} \mathrm{Nj} 38.720 \mathrm{keV}(319.130 \mathrm{keV}) \mathrm{Nj} 1001 \mathrm{eV} \mathrm{Nj} 11 \mathrm{eV} \mathrm{Nj} 0.05 . .0 .07 \mathrm{eV}$.
The ${ }^{61} \mathrm{Ni} 67.418 \mathrm{keV}$ state has a long live time of 5.34 ns , which seems to help for the final phonon coupling. The ${ }^{105} \mathrm{Pd} 38.720 \mathrm{keV}$ state can be loaded much faster which avoids a broken pipeline (drain out before reloading) We assume that once a chain is in resonance the full 23.6 MeV drain out into phonon energy.

The much simpler path with cyclotron like coupling is always working in parallel. A field of about 10E13T at the primary fusion radius of 2 pm is at $2 u m$ still 10E4T and very strong if all nuclei following the strong field axes of Fig.4. get polarized, then the same strength can still be seen at 0.06 mm . Adding a field to a cyclotron orbit is non dissipative, but the associated expansion/shrinking of the electron cloud radius is doing mechanical work which is dissipative.

## 14 Conclusion

We now just know how the most interesting down-scaling path for $D^{*}$ - ${ }^{*}$ fusion looks like. We have some empirical knowledge how the magnetic gamma state coupling works. Now systematic experiments must be done with a reproducible LENR reaction setup to narrow the parameters of interest, which will us allow to understand the "exact" relation between strength of magnetic moments, relaxation time nuclear charge radius etc..


[^0]:    Torus with minor radius $a$, major radius $b$ and mass $m$.

